

Math unit 5



**ASSIGN
BUSTER**

1. Solve a. $e^{.05t} = 1600$ $.05t = \ln(1600)$ $.05t = 7.378$ $t = 7.378/.05$ $t = 147.56$ b. $\ln(4x) = 3$ $4x = e^3$ $x = e^3/4$ $x = 5.02$ c. $\log_2(8 - 6x) = 5$ $8 - 6x = 2^5$ $8 - 6x = 32$ $6x = 8 - 32$ $x = -24/6$ $x = -4$ d. $4 + 5e^{-x} = 0$ $5e^{-x} = -4$

$e^{-x} = -4/5$ no solution, e cannot have a negative answer 2. Describe the transformations on the following graph of $f(x) = \log(x)$. State the placement of the vertical asymptote and x-intercept after the transformation. For example, vertical shift up 2 or reflected about the x-axis are descriptions.

a. $g(x) = \log(x + 5)$ horizontal left shift 5 Vertical asymptote $x = -5$ x-intercept:

$(-4, 0)$ b. $g(x) = \log(-x)$ over the x-axis vertical asymptote $x = 0$ no x-intercept

3. Students in an English class took a final exam. They took equivalent forms of the exam at monthly intervals thereafter. The average score $S(t)$, in

percent, after t months was found to be given by $S(t) = 68 - 20 \log(t + 1)$,

$t \geq 0$. a. What was the average score when they initially took the test, $t = 0$?

Round your answer to a whole percent, if necessary. $S(0) = 68 - 20 \log(0 + 1) =$

$68 - 20 \times 0 = 68\%$ b. What was the average score after 4 months? after 24

months? Round your answers to two decimal places. $S(4) = 68 - 20 \log(4 + 1) =$

$68 - 20 \times 0.699 = 68 - 13.98 = 54.02$ $S(24) = 68 - 20 \log(24 + 1) = 40.04$

$68 - 20 \times 1.398 = 68 - 27.96 = 40.04$ c. After what time t was the average score

50%? Round your answers to two decimal places. $50 = 68 - 20 \log(t + 1)$

$20 \log(t + 1) = 68 - 50$ $\log(t + 1) = 18/20$ $t + 1 = 10^{(18/20)} = 7.9433$ $t = 7.$

$9433 - 1 = 6.94$

The formula for calculating the amount of money returned for an initial deposit into a bank account or CD (certificate of deposit) is given by $A = P(1 + r/n)^{nt}$ A is the amount of the return. P is the principal amount initially deposited. r is the annual interest rate (expressed as a decimal). n is the

number of compound periods in one year. t is the number of years. Carry all calculations to six decimal places on each intermediate step, then round the final answer to the nearest whole cent. Suppose you deposit \$2,000 for 5 years at a rate of 8%. . Calculate the return (A) if the bank compounds annually ($n = 1$). Round your answer to the nearest whole cent. $2000(1+0.08/1)^{(1 \times 5)} = 2,938.66$ b. Calculate the return (A) if the bank compounds quarterly ($n = 4$). Round your answer to the nearest cent. $2000(1+0.08/4)^{(4 \times 5)} = 2,971.89$ c. If a bank compounds continuously, then the formula used is $A = Pe^{rt}$ where e is a constant and equals approximately 2.7183. Calculate A with continuous compounding. Round your answer to the nearest cent. $2000(2.7183)^{(0.08 \times 5)} = 2,983.66$