# Computer architecture cleous mccalla biology essay 

Science, Biology

## ASSIGN BUSTER

February 4, 2014Assessment \# 4Derive write both sum of products (SOP) and product of sums (POS) Boolean expressions describing the Output: Sum of products (SOP):

## A

B

C

## OUTPUT

## EXPRESSION

0001

## $A^{\prime} B^{\prime} C^{\prime}$

00100101

## $\mathbf{A}^{\prime} \mathbf{B C}{ }^{\prime}$

011010001011

## A B' $^{\prime} \mathbf{C}$

1101

## A B C

$1110 \mathrm{SOP}=\left(A^{\prime} B^{\prime} C^{\prime}\right)+\left(A^{\prime} B C^{\prime}\right)+\left(A B^{\prime} C\right)+\left(A B C^{\prime}\right)$ Products of Sum (POS):

A
B
C

## OUTPUT

## EXPRESSION

00010010
$\mathbf{A}+\mathbf{B}+\mathbf{C}{ }^{\prime}$
01010110
$A+B^{\prime}+C^{\prime}$
1000
$A^{\prime}+\mathbf{B}+\mathbf{C}$
101111011110
$A^{\prime}+B^{\prime}+\mathbf{C}^{\prime}$
POS $=\left(A+B+C^{\prime}\right) \cdot\left(A+B^{\prime}+C^{\prime}\right) \cdot\left(A^{\prime}+B+C\right) \cdot\left(A^{\prime}+B^{\prime}+C^{\prime}\right)$ Sum of products (SOP):

A
B
C
OUTPUT
EXPRESSION
0001

## $\mathbf{A}^{\prime} \mathbf{B}^{\prime} \mathbf{C}^{\prime}$

0011
$A^{\prime} \mathbf{B}^{\prime} \mathbf{C}$
01000111

## $\mathbf{A}^{\prime} \mathbf{B C}$

10001011

## A B' C

1101

## A B C ${ }^{\prime}$ <br> 1111

## ABC

SOP $=\left(A^{\prime} B^{\prime} C^{\prime}\right)+\left(A^{\prime} B^{\prime} C\right)+\left(A^{\prime} B C\right)+\left(A B^{\prime} C\right)+\left(A B C^{\prime}\right)+(A B C)$ Products of Sum (POS):

## A

B
C

## OUTPUT

## EXPRESSION

000100110100

## $\mathbf{A}+\mathbf{B}^{\boldsymbol{\prime}}+\mathbf{C}$

01111000

## $\mathbf{A}^{\prime}+\mathbf{B}+\mathbf{C}$

$101111011111 \mathrm{POS}=\left(A+B^{\prime}+C\right) \cdot\left(A^{\prime}+B+C\right)$ Determine the sum of products expression for the following function: $f(A, B, C)=(0,1,2,6)$ If $22=$ $421=220=1$ The binary values for the following are: $0=0001=0012=0$ $106=110$ Sum of products (SOP):
A
B
C

## OUTPUT

## EXPRESSION

0
0
0
1
$A^{\prime} B^{\prime} \mathbf{C}^{\prime}$
0
0
1
1
$A^{\prime} \mathbf{B}^{\prime} \mathbf{C}$
0
1
0
1
$\mathbf{A}^{\prime} \mathbf{B} \mathbf{C}{ }^{\prime}$
011010001010
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1
1

0

1
A B C ${ }^{\text {, }}$
1110SOP $=\left(A^{\prime} B^{\prime} C^{\prime}\right)+\left(A^{\prime} B^{\prime} C\right)+\left(A^{\prime} B C^{\prime}\right)+\left(A B C^{\prime}\right)$ Assume that $X$ consists of 3 bits, $X 2, X 1, X 0$. Write a logic function that is true if and only if $X$ contains only one 1.

## X2 X1 X0.

Out
000
0

001
1

## 010

1

011
0

100
1
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## 101

0

## 110

0

## 111

$0 F=X 2^{\prime} X 1^{\prime} X 0+X 2^{\prime} X 1 \times 0{ }^{\prime}+X 2 \times 1^{\prime} \times 0{ }^{\prime}$ Give the ASCII code for the letters $U$ and $k$. ASCii Code for Upper case $U=85 A S C i i$ Code for lower case $k=$ 107Why is a flip-flop also called a bistable? A flip-flop circuit is called bistable because they are digital logic circuits that can be in one of two stable states. They will maintain their state indefinitely until an input pulse called a trigger is received. How does a SR latch differ from a gated SR latch? The difference between a SR latch and a Gated SR Latch is that a SR latch will change its state whenever a change is made to the $S$ or $R$ input, but a Gated SR latch will only allow a change in state when the gate (denoted by $E$ below) is high.

## SR Latch

http://sub. allaboutcircuits. com/images/04173. png

## Gated SR latch

http://sub. allaboutcircuits. com/images/04178. pngList any eight rules of Boolean algebra simplification. Eight rules of Boolean algebra simplification are: The Cumulative ruleExample: $A+B=B+A T h e$ Associative ruleExample: $A+(B+C)=(A+B)+C$ The Null ruleExample: $A+1=1 \& A \cdot 0=0$ The Absorption ruleExample: $A+A B=A T h e ~ I d e n p o t e n c y ~ r u l e E x a m p l e: ~ A+A=$ $A \& A \cdot A=a$ The Distributive ruleExample: $A(B+C)=A B+A C T h e$

Adjacency ruleExample: $A B+A^{\prime} B=A U s e$ either the rules of Boolean algebra or Karnaugh maps to simplify the following:

## $\mathbf{F}=\mathbf{A}+\mathbf{A B C}+\mathbf{A}^{\prime} \mathbf{C}$

The karnaugh map table was populated based on the following factorsHighs (1s) for all the outputs where A is 1, no matter what B \& C areHighs (1s) for all the outputs where A, B \& C are all 1sHighs (1s) for all the outputs where A is 0 and $C$ is 1 no matter what $B$ isLows (0s) for all other outputs

## A B

C

0

1
00
01

## 01

01

## 11

11

## 10

11Once $A$ is High (1) the output is high no matter what $B \& C$ areOnce $C$ is High (1) the output is high no matter what A \& B areHence the simplified form of this expression is: $F=A+C F=\left(A^{\prime} B+C\right)^{\prime}+$ CFor this simplification
we use Boolean algebra $\left(A^{\prime} B+C\right)^{\prime}+C=\left[\left(A^{\prime} B\right)^{\prime} \cdot C^{\prime}\right]+C=\left[\left(A^{\prime \prime}+B^{\prime}\right) \cdot C^{\prime}\right]+$ $C=\left[\left(A+B^{\prime}\right) \cdot C^{\prime}\right]+C=A C^{\prime}+B^{\prime} C^{\prime}+C$

## NOT the entire expression:

$\left(A C^{\prime}+B^{\prime} C^{\prime}+C\right)^{\prime}=\left(A C^{\prime}\right)^{\prime} \cdot\left(B^{\prime} C^{\prime}\right)^{\prime} \cdot C^{\prime}=\left(A^{\prime}+C^{\prime \prime}\right) \cdot\left(B^{\prime \prime}+C^{\prime \prime}\right) \cdot C^{\prime}=\left(A^{\prime}+C\right) \cdot$
$(B+C) \cdot C^{\prime}=\left(A^{\prime}+C\right) \cdot\left(B C^{\prime}+C^{\prime} C\right)=\left(A^{\prime}+C\right) \cdot\left(B C^{\prime}\right)=\left(A^{\prime} B C^{\prime}\right)+\left(B C^{\prime} C\right)=\left(A^{\prime} B C^{\prime}\right)$
$+(0)=\left(A^{\prime} \mathrm{B} \mathrm{C}^{\prime}\right)$

## NOT the entire expression a second time to get back to the original state:

$\left(A^{\prime} B C^{\prime}\right)^{\prime}=A^{\prime \prime}+B^{\prime}+C^{\prime \prime}=A+B^{\prime}+C H e n c e ~ t h e ~ s i m p l i f i e d ~ f o r m ~ o f ~ t h i s ~$ expression is: $F=A+B^{\prime}+C$

## $\mathbf{F}=(\mathbf{A}+\mathbf{B})\left(\mathbf{A}^{\prime}+\mathbf{B}^{\prime}\right)$

For the first step of this simplification we use Boolean algebra( $A+B$ ) • ( $A^{\prime}+$ $\left.B^{\prime}\right)=A A^{\prime}+A B^{\prime}+A^{\prime} B+B B^{\prime}=A B^{\prime}+A^{\prime} B W e$ construct a truth table to further simplify this expression

## A B

## Out

00

0

## 01

1

10
1
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## 11

OBased on the operation of the above truth table we conclude that this is an Exclusive OR gate and hence the simplified expression is $\mathrm{F}=\mathrm{A}$ oplus BDraw the logic gate equivalent to the following formulas: $A B+C\left(A^{\prime}+B\right)^{\prime}$

## $\mathbf{A}+\mathbf{B}+\mathbf{C}\left(\mathbf{A}^{\boldsymbol{\prime}}+\mathbf{C}^{\boldsymbol{\prime}}\right)$

$\left(\mathbf{A}+\mathbf{B}^{\prime}\right)(\mathbf{B C}+\mathbf{A})+\mathbf{D}$

