

# Text based steganography using golay computer science essay

[Technology](#), [Information Technology](#)



## **ABSTRACT**

Steganography is the art and science of transmitting hidden messages. In modern communications systems, this means hiding information in communication media such as audio, text, and images. Ideally, except for the sender and receiver, no third party should even suspect the existence of such messages. Digital communications systems require the use of error-correcting codes (ECC) to combat noise, or errors, introduced by the corresponding (communication) channel. Basically, an ECC adds redundancy to a message so that the errors introduced by the channel can be corrected. In our context, the code redundancy can be utilized to insert stega bits (that is, bits of a secret message) masked in the form of artificial errors, which in turn, cannot be distinguished from genuine channel errors. Therefore, noisy communication channels provide a suitable framework for steganography. In this work, we focus on text-based steganography. The underlying ECC is the Golay code, which breaks down the information sequence into blocks of 12 bits. At the end of the encoding process, each 12-bit block is transformed into a 23-bit block, called a codeword. The Golay code is capable of correcting up to three errors in a block of 23 bits and is attractive for combating errors in very noisy communication channels. Two modes of insertion of stega bits are discussed and compared. The modes represent a trade-off between accuracy and secrecy. In the first, a more accurate version of the secret message is recovered in comparison with the second; however, it is more susceptible to being detected by an eavesdropper than the second mode.

## INTRODUCTION

Steganography is an art or science of transmitting hidden messages. In modern communication system, this means hiding information in communication media such as audio, text and images. Steganography is supposed to be originated from Greek culture where the Greek word steganos means concealed and graphein means to write. Techniques for hiding information have existed for centuries. In Ancient Greece, secret messages were written on wooden plates and wax was used to cover them.

Methods include writing hidden messages on paper written in invisible ink in the blank spaces of the papers. This technique was adopted quite successfully during World War II by the French. Some other techniques were also implemented in the past. Messages were written on the back of postage stamps. Germans used microdots during World War I and World War II.

Microdots are nothing but a text or an image substantially reduced in size onto a disc of 1 mm in diameter. Special cameras were used to generate microdots attached to letters. These microdots usually went unnoticed for any intruders and could easily be read by the authorized recipient with a microscope.

Techniques such as spread spectrum are used these days in digital communication. Electromagnetic or acoustic signals generated for a specific bandwidth are spread over a much wider bandwidth to avoid signal interference or signal jamming. Digital watermarking is also one of the many applications of steganography. Visible watermarks are used for copyright protections and source tracking but in case of invisible watermarking, the information is difficult to perceive. The secret message is hidden in a digital signal. The spread spectrum mentioned earlier is used for audio

watermarking. SpreadSpectrum is used to embed watermarks which can be implemented easily in any timedomain. After spreading the spectrum the information is hidden in the form of a watermark and is added to the sender signal as a watermarked signal. The core principal for steganography is that apart from the sender and the receiver, no third party or the intruder can suspect the presence of any such hidden or covert message. This phenomenon clearly distinguishes steganography from a very renowned technique of information hiding which is cryptography. In cryptography, the information is hidden by doing encryption of the original message by various encryption algorithms. This encryption process converts the plain text into a cipher text with the help of the encryption key. If ever a third party intrudes and manages to extract the cipher text, this encrypted message is hard to decode without the key. This clearly states that in Cryptography the third party can detect the presence of secret message easily though it may or may not decrypt the encoded message which is disparate from the principal of steganography which hides the message as well as the presence of the message. Therefore where cryptography protects the content of the message, steganography protects both message and communicating parties. So except the authorized persons, no third party can ever think of any such secret message in the communication. Hence steganographic communications do not attract attention since they are never highlighted or encrypted but always hidden. In computer systems as well, steganography is extensively used. Pictures are embedded in video material. Secure shell connections, remote desktop software such as telnet, virtual host always include some amount of delay before sending the information packets over

the network. These delays can be used to encode data. Texts are hidden in webpages. Information is concealed within computer files which can be audio files, jpeg images or bit mapped images which are larger in size and contain lot of information in it. Foreexample, every nth color bit is replaced with some message bit and sent over the transport network. This change is so minute that it usually goes unnoticed due to highly redundant code stream. Some tools can be used to transmit valuable data in normal network traffic.

Internet Control Message Protocol (ICMP) is an Internet protocol used for networked computers to send error messages for diagnostic or routing purposes in IP datagram. These ICMP messages are part of the IP header and transmitted the resulting datagram. Linux has a ping utility which adds 56 bytes of ICMP message to the existing header. Loki is another such tool that hides data in ICMP traffic. Loki is a client-server program which can be used to transmit data secretly across the network through back door into a Unix system. A directory starting with dot (.) is a hidden directory. A directory starting with three dots (...) can be created to store secret files so they do not come into the file lists. On Windows systems, the C:/winxp/system32 or C:/winnt/system directories are where all the Windows .dll, .dib and set up files are placed. This directory can be used to securely store all the covert files assuming that no one really dares to tamper or touch the files in those important directories.

## REQUIREMENTS

The primary aim behind developing this tool is to understand how steganography can be achieved using error correcting codes for very noisy

communication channels with covermedia being a text file. Upon completion, this tool will help the students from mathematics and statistics as well as computer science in learning more about error correcting codes and their applications and different techniques used in Information security branch for secure and covert data communication. This software can also be integrated into different text editors such as office word, Kwrite etc. for creating documents with secret messages embedded. The requirements gathered have been further classified into platform requirements and functional requirements.

## **PLATFORM REQUIREMENTS**

- The main objective in choosing the software development kit (software language) was that it should be platform independent so that final product will have the capability to run on any environment irrespective of the operating system.
- The software should run as a stand-alone application rather than a web based software. Hence Java SDK instead of Java Enterprise Edition has been chosen to be the appropriate language for writing the code. The operating system is Ubuntu Linux considering in mind the importance of open source software.
- There should be a facility to store different versions of code and some repository where code can be checked in and checked out. This is applicable whenever any modifications are made or any new feature gets added. Keeping this in mind, SVN(subversion) repository has been used.

## **FUNCTIONAL REQUIREMENTS**

- The software should be able to read any large text file as a cover media so that secret message can be embedded into it.
- The Error correcting code

(ECC) being chosen should not induce additional complexity to the existing bit stream.

- The ECC should not increase the bandwidth of the channel by adding too many redundant bits in such a way that the performance and efficiency gets hampered.
- The core principle of steganography should be achieved. That is, message as well as its existence should be concealed.
- The transportation of the message blocks over the communication channel should not take large amounts of time.
- The decoder version of the software should be capable enough to join all the received and decoded data blocks to get back the original secret message is received.
- Since the Golay code is used as an ECC which can correct up to three errors per 23 bit codeword, there should be a facility for the encoder to select how many artificial errors (stega bits) he wants to send for each codeword.
- In the Golay code mode 2, the detection scheme should be intelligent enough to select the erred bits which were not picked by the normal decoding mechanism.
- There should be a facility to introduce the genuine channel errors along with the artificial errors so that the communication channel used will look more original.

## **NOISY CHANNELS AND ERROR CORRECTING CODES**

Any message to be transmitted over the communication channel needs some level of protection. This is because of many things such as noise, channel error in the communication. These hindrances not only change the message content but also the meaning of the message very commonly known as noise.

## **NOISE**

Noise is an unwanted part of any digital or analog signal. It is the factor which is responsible for degrading the quality of the signal by acting as an interference or blockage in the communication channel. This entity is naturally present in most of the communication channels corrupting the signals passed over. Hence signal to noise ratio should be as high as possible to ensure the error free communication. However the occurrence of noise is totally random and if proper filter is not used to detect its presence, it usually goes unnoticed creating disturbances at the receiver's end. To combat the noise, various techniques are used such as increasing the power of the signal, implementing some sort of a modulation such as frequency modulation (FM), amplitude modulation (AM) etc. or adding a lot of redundant bits to the original signal. Some of these operations are expensive such as increasing the power of a signal or amplitude modulation. Adding a lot of redundant bits can also be an inefficient method since it increases the channel bandwidth beyond capacity. But if handled in a proper manner, through error correcting codes this method can be used very effectively for to detect the noisy bits or errors at the receiver's end. A very noisy channel is an attractive medium for steganographic communications. This is achieved by having a low transmission rate of concealed messages sent block by block. This type of communication produces an almost untraceable secret message transfer. Since these noisy channels require error correcting codes to come over the noise, the code redundancy is utilized very ingeniously to insert the secret message bits to be passed in form of artificial channel errors. The insertion of steganographic bits over a honest communication channel is possible only



because of the bit redundancy created by the error correcting codes. Error correcting codes (ECC) provide a technique for data transmission in which a few extra bits are added in each block of data in order to detect the errors and then correct those errors that may occur in the communication. These redundant bits also known as parity bits make sure that the message is received error free at the receiver's end and once the errors are corrected, these parity bits are easy to remove from the original content. Parity Bits take care of the number of checked bits in the code i. e. they are implemented as odd parity when number of 1's in a given set of bits are even and similarly for even parity. ECC have been successfully used in physical and data link layer of the OSI model and also implemented in data disks and computer physical memories in the form of checksum. Checksum is an addition of all the codewords in a given set of bits. ECC are mainly divided into two classes viz. convolution and block codes. Convolution codes operate on bit by bit basis and block codes are processed per block basis. This thesis is focused on block codes. ECC are also known as forward error correction (FEC) since no re-transmission of the message is performed. There are many types of block codes such as repetition codes, BCH codes, Golay codes, Hamming codes. Some of these are very efficient codes such as Golay, BCH etc. Golay Codes are encoding and decoding techniques are implemented in this thesis work. The channel used for steganographic communication is a binary symmetric channel explained below.

## BINARY SYMMETRIC CHANNEL

The communication channel used in most of the steganographic communications and encoding-decoding mechanisms of Golay codes in this thesis is a binary symmetric channel (BSC). Let us assume that the communication messages are sent over a very noisy channel and that we can send only two symbols viz. 0 and 1. Also assume that when the sender sends the symbol 0, the receiver receives the same symbol 0 with probability  $p$  and receives 1 with probability  $q$ . Similarly when the sender sends symbol 1, the probability that 1 is received is  $p$  and 0 is received is  $q$ . Then for a binary symmetric channel,  $p + q = 1$  also meaning  $q = 1 - p$ . This type of communication is possible only in binary symmetric channel (BSC). BSC is very frequently used in information and coding theory. It is assumed that in BSC, the symbol is received with a high probability, but if the symbol or the bit gets flipped, then that probability is very small. Figure 4. 1 illustrates this type of communication channel very clearly. In this diagram, if  $X$  is a variable that is randomly transmitted and  $Y$  is the variable randomly received, then the channel is characterized by the conditional probabilities shown below:

$$\begin{aligned} \Pr(Y = 0 / X = 0) &= p \quad (4. 1) \\ \Pr(Y = 1 / X = 0) &= 1 - p \quad (4. 2) \\ \Pr(Y = 1 / X = 1) &= p \quad (4. 3) \\ \Pr(Y = 0 / X = 1) &= 1 - p \quad (4. 4) \end{aligned}$$

### Binary symmetric channel.

## LINEAR CODES

A linear code of length  $n$  and dimension  $k$  is a subspace  $C$  of the vector space  $(F_2)^n$  (all  $n$  tuples with entries in  $F_2$  where  $F_2 = \{0, 1\}$  the binary field). Such a code is referred to as an  $(n, k)$  code. Elements of the code are called

codewords. A generator matrix for an  $(n, k)$  code is a  $k \times n$  matrix whose rows form a basis for the vector space  $C$ . This generator matrix often denoted as  $G$ , is of the form  $(I_k | A)$  where  $I_k$  is an identity matrix ( $k \times k$ ) and  $A$  is the standard matrix with dimensions  $((n-k) \times n)$ . The Hamming distance of a linear code  $C$  is equal to the minimum distance between any two codewords in  $C$ . This is also equal to the minimum weight of the nonzero codewords in  $C$ . These linear codes bear a special property that any two non zero codewords  $c \in C$  differ in at least  $d$  positions where  $d$  is the Hamming distance between the two codewords and addition of any these codewords, e. g.  $c_0$  and  $c_1$ , fetch a result say  $c_2$  which also is a codeword belonging to the same set  $C$ . In mathematical terms, Hamming distance is the number of coordinates in which  $c_0$  and  $c_1$  disagree.

## **GOLAY CODES AND APPLICATIONS**

Golay codes belong to the class of ECC which are used in mathematics and computer science fields extensively. Golay codes were invented by Marcel J. E. Golay. Golay was a Swiss mathematician. Golay codes over the years have played an important role in both the theory and practice of ECC. ECC are generally defined over the finite field namely Galois field which contains limited number of elements used in digital communications. It is denoted by  $GF(n)$  or  $F_n$  where  $n$  is the maximum number of elements that can belong to the respective finite field. For every prime integer  $p$  and positive integer  $n$ , there exists a finite field with  $p^n$  elements. With  $n = 2$ , the Galois field becomes binary and only the two specified elements can be present in each of codeword belonging to  $C$ . In most of the cases,  $F_2 = \{0, 1\}$  were '+' and '.'

are addition and multiplication modulo 2. Golay codes are divided into two branches, namely binary and ternary. Binary Golay codes use 0 and 1 in  $GF(2)$  and they are further classified into extended binary Golay codes (EBGC) or perfect binary Golay codes (PBGC). This thesis is designed for PBGC which is most commonly used in practice and often denoted as just Golay codes. In case of PBGC, the codeword has a length 23. They are denoted as  $[23, 12, 7]$ . The numbers in the brackets are explained below. A block of twelve binary bits is converted into a block of 23 bits after passing through a Golay code encoder. Due to the binary nature of a 12 bit message block, the total number of codewords this vector space contains is  $2^{12} = 4096$ . Any two codewords belonging to this 12-dimensional subspace  $W$  of the vector space  $V$  differ in at least 7 positions or equivalently, any non zero codeword has at least seven 1's in it or the Hamming distance between any two codewords is 7. By adding just one parity bit to every encoded 23 bit codeword, the codeword becomes 24 bits and the perfect Golay codes are transformed into extended Golay codes. Extended binary Golay codes denoted as  $[24, 12, 8]$  are very similar to perfect Golay codes except the fact that any Hamming distance between any two codewords is 8. Implementing the encoding and decoding mechanisms of Golay codes is simple but very efficient. The message bits are divided into blocks of 12 bits each. Every such block  $M$  of 12 bits is converted into a block of 23 bits by multiplying it with a generator matrix of  $(12 \times 23)$ . This generator matrix has its rows 12 different and non-zero Golay codewords which differ from each other in at least seven positions. An example of one such generator matrix is shown in Figure

## Generator matrix.

The subsequent multiplications and additions which occur in  $M \times G$  are modulo 2. Hence the resulting row matrix of 23 bits contains only binary numbers 1 and 0. In the decoding process, the received vector  $r$  of length 23 is possibly corrupted in up to three coordinates. Matrix  $r$  is multiplied with the transpose of a matrix  $A$  to get the vector  $s$ . Matrix  $A$  has 506 rows and 23 columns whose rows are dual of Golay codewords. The dual of a linear code  $C \in (F_2)^n$  denoted as  $C^\perp$  is defined as follows:  $C^\perp = \{u \in (F_2)^n \mid u \cdot v = 0 \text{ for all } v \in C\}$  where  $u \cdot v$  is the usual scalar product between  $u$  and  $v$  and the dimension of  $C^\perp$  is equal to  $n-k$ . All the additions and multiplications are modulo 2 again. The resulting vector  $s$  ( $1 \times 506$ ) is multiplied by matrix  $A$  ( $506 \times 23$ ) to get the vector  $v$  ( $1 \times 23$ ). In this case the additions and multiplications are the usual integer additions and multiplications. Hence  $1 + 1 + 1$  becomes 3 and not 1 as in the case of modulo 2 operations. The error pattern is determined for each of the 23 bits of  $v$  and stored in  $e$  where  $e_i$  is the  $i$ th position of  $e$  for  $i = 1, \dots, 23$ . For each position  $v_i$ , for  $i = 1, 2, \dots, 23$  in  $v$ , if  $v_i = 176, 120, \text{ or } 96$ , then the corresponding bit is in error. This makes  $e_i = 1$ . In all other cases  $e_i$  is 0. After determining the error vector  $e$ , it is added to the received vector  $r$  in modulo 2 so that the erred bits are flipped to get back the correct code that was originally sent. Let us consider an example where the 12 bit binary stream 111000111000 was converted to 23 bit Golay codeword 11100011100011111011111 after multiplying with the generator matrix  $G$ . Assume 2 bits were corrupted at 11th and 18th position respectively and hence the stream which the receiver received was 11100011101011111111111. When the decoding techniques are applied, the

error matrix which is generated is nothing but  
0000000001000000100000contain 11th and 18th bits as 1 and rest others  
as 0. This error matrix  $e$  when gets added to thereceived vector  $r$  yields the  
original codeword which is 11100011100011111011111. Extended binary  
Golay codes (EBGC) can correct up to four errors and detect up to seven  
errors whereas PBGC can correct up to three errors and detect up to six  
errors in a 23 bit codeword. This rate of error correction is very high  
compared to other ECC hence they were used extensively in communication  
channels and spacecraft programs in the late 1980s. Golay Codes with  
proper combination of codewords reduce the amount of noise in the channel  
which magnifies the signal to noise ratio making the code useful for  
biomedical Doppler applications. Binary Golay Codes have also been used in  
NASA spacecraft mission. In the 1980s when the channel bandwidth was  
very limited, hundreds of thousands of high resolution colorful images of  
planets such as Jupiter and Saturn were sent using Golay Codes Encoding due  
to the high probability of error free receipt of these images. EBGC [24, 12,  
8] were used in this case since color images required to send 3 times the  
amount of data and these codes can correct up to three errors. In high  
frequency radio systems communications, EBGC have been used for forward  
error correction according to American government standards.

## **ENCODING OF STEGANOGRAPHIC MESSAGES**

As explained in the previous chapters, error correcting codes add bit  
redundancy to the original message block. This redundancy is added to make  
sure that bits that might get corrupted during the communication over the

noisy channel are received without any error. This bit redundancy is utilized for steganographic purposes where the secret message bits can be passed. These secret message bits are known as stega bits which are replaced with redundant channel bits. Also the channel used is binary symmetric channel (BSC). A very noisy channel will have a lot of genuine errors, i. e. errors that have occurred just because of poor channel reception without any steganographic intervention. To differentiate these errors from the artificially inserted stega bits, the stega bits are known as artificial channel errors. The two basic modes that have been implemented are discussed below.

## **FLOW OF ENCODING MECHANISM**

In MODE 1, the stega bit is inserted in a fixed position within a codeword  $c \in C$  as follows:

- If the selected bit in the codeword is 0 and the stega bit is also 0, then the bit is not inserted into the codeword. Same would be the case if both the stega and codeword bits are 1.
- If the selected bit in the codeword is 1 and the stega bit is 0, then 1 in the codeword is replaced by 0 stega bit.
- If the selected bit in the codeword is 0 and the stega bit is 1, then 0 in the codeword is replaced by 1 stega bit.

In MODE 2, the stega bit is inserted in a random position within a codeword  $c \in C$  as follows:

- 0 stega bit is inserted in a codeword as an artificial error in such a way that it replaces any randomly selected 1 in a codeword  $c \in C$ .
- 1 stega bit is inserted in a codeword as an artificial error in such a way that it replaces any randomly selected 0 in a codeword  $c \in C$ .
- If the codeword does not contain any position occupied by 1 and 0 is to be inserted, then no stega bit is inserted.
- If the codeword does not contain any position occupied by 0 and 1 is to be inserted, then no

stega bit is inserted. • In both modes, code C is used to recognize both the error bit position as well the error status. Thus the decoding mechanism should be intelligent enough to find out the stega bit positions. Golay Codes, Hamming Codes or Repetition Codes have excellent decoding mechanisms to find out the bits in errors and correct them. However the separation of genuine errors from the artificial errors is a difficult task which is handled by separate techniques in both the modes. In case of Mode 1, the stega information is encoded in a known position hence at the decoding end, it is quite easy to determine which bit is in the error and then to check the error status. In case of Mode 2, the stega information is carried by a bit which is randomly encoded in a codeword unknown to the receiver, hence it becomes very difficult to identify the error bit at the receiver end just with the help of normal decoding mechanism. Therefore along with this decoding mechanism, special detection criteria must be defined. The entire process of encoding and decoding the stega message to pass over the steganographic channel (which is BSC) is shown in Figure 5. 1. S is source and U is a user. E is a binary encoder which uses a linear code C, a BSC with error probability of  $p$  and Decoder D. A decoding rule for the corrupted codewords is described by the full set of coset leaders  $T$  and encoding mechanism converts the Codeword into an encoded bit stream  $K$  passed over stega-channel.

## **Flow of steganographic process.**

### **REPETITION CODES**

Repetition codes are a type of error correcting codes. They are denoted as  $(r, 1)$  where  $r$  is the repetition index, which makes every bit of the secret



message repeat by the repetition index  $r$ . Hence they are called repetition codes. For repetition codes, each codeword is of length  $r$ . For example if the signal  $s = 10100$  and the scheme used is  $(3, 1)$  then every bit of  $s$  is repeated thrice and sent over the communication channel. Hence the extended codeword becomes  $c = 111000111000000$ . An encoder for a repetition code is a simple device which repeats every bit of the information sequence by the repetition index. This method of encoding is very simple but quite unsophisticated. As a result, it is hardly used in practical applications. But it can give an insight about the steganographic process for ECC and also which method of ECC is to be used based on efficiencies. At the receiver end for every bit stream of length  $r$ , the codeword is compressed into a single bit using the majority element rule. For example, consider the codeword received is  $110000111000001$ . In this case since  $r$  is 3, every set of three bits is compressed into a single bit using this majority rule which simply counts the number of occurrences of 1 and 0 and sets the output bit according to the bit in majority. Here:

- 1st 3-bit block is 110, hence the majority element is 1.
- 2nd 3-bit block is 000, hence the majority element is 0.
- 3rd 3-bit block is 111, hence the majority element is 1.
- 4th 3-bit block is 000, hence the majority element is 0.
- 5th 3-bit block is 001, hence the majority element is 0.

All five bits are concatenated to get the decoded message which is 10100. Hence at the receiving end, the user receives original signal which is 10100. Repetition codes offer a poor solution for the large files datasets since they repeat every bit by  $r$  times and increase the channel bandwidth beyond its capacity. The only advantage of repetition codes is that their execution is fairly simple. Use of repetition codes for steganographic communication is

explained in the following example. Consider a secret message as 10100010 and cover media which can be a text file or an image be 11010000. We are using repetition codes with scheme (3, 1), i. e.  $r = 3$  which makes the encoder repeat every bit of cover media by 3. This operation generates the elongated version of cover media  $X$  as 111111000111000000000. Every first bit of the 3 bit block is ex-or with one bit each of secret message as follows:

$$20X = 111\ 111\ 000\ 111\ 000\ 000\ 000\ 000\ 000X-OR1\ 0\ 1\ 0\ 0\ 0\ 1\ 0$$


---

011 111 100 111 000 000 100 000 This new  $X'$  which is 011111100111000000100000 is transmitted over a binary symmetric channel. Let's suppose that this noisy channel introduces few errors in  $X$  and the message received at the User end is  $Y = 011111100111001000100000$  with the marked bit as a corrupted bit due to genuine channel error. A majority element array is calculated for this received codeword considering majority rule for every three bits. The decoding operation is described as follows:

$$Y = 011\ 111\ 100\ 111\ 001\ 000\ 100\ 000R = 111\ 111\ 000\ 111\ 000\ 000\ 000\ 000X-OR$$


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$Y' = 100\ 000\ 100\ 000\ 001\ 000\ 100\ 000$  For  $Y'$ , every 1st bit of the three bit block is fetched to get the secret message. The secret message received is 10100010. The secret message that was sent was 10100010. Hence we have got the exact same secret message despite the fact that there were some artificial errors i. e. stega bits and genuine channel errors. This technique worked for this small codeword but looking at the bigger picture, a

color image with RGB as (8 bit \*3) 24 bit image would be converted to a 72 bit stega channel which would be very inefficient. Hence from now on, the steganographic communication is achieved using Golay codes which are more powerful than repetition codes. Due to their simplicity, the repetition codes are currently used in following applications:

- Some Universal Asynchronous Receivers and Transmitters use majority filters to ignore modulations in the noise known as noise spikes. This spike injection filter is a repetition decoder.
- Many frequency modulation techniques in the current world transmit a single bit or a block of few bits over many sinusoidal signal cycles. The low pass filter used at the receiver's end for the entire bit stream is assumed to be a repetition decoder.

## **GOLAY CODES ENCODING**

Encoding of Golay codes has been explained in brief in the previous chapter. The programming details and implementation techniques that were used in this thesis are described below. Golay codes can detect up to six errors and correct up to three errors in a codeword of 23 bits. The example considered here has a cover media as a text file and secret message as a plain text. Both the cover media and the secret message are converted into binary streams of 1 and 0. This conversion takes place using a function named `readFile()`. This function has been written in Java and explained below. The `readfile()` command takes its argument as the filename whose contents are supposed to be converted and stored into a binary stream. This stream is created by a Java class which opens the file, reads it and makes use of Java input-output functions by importing `java.io` api. The large stream is first read into a

variable which contains non-binary characters. This string is separated into individual characters and each character is stored into a character array as an array variable using `toCharArray()` function. Hence if the string is `Desktop`, the character array, e. g. `arr[]`, is created and `Desktop` is stored into `arr[]` as `arr[0] = 'D'`, `arr[1] = 'e'`, `arr[2] = 's'` etc using the `toCharArray()` function. Each character has an associated integer value with it. This integer is also known as an ASCII value. For example, 'D' has an ASCII value 68, 'A' has ASCII value 65, 'B' is 66, 'e' is 101, number '0' is 48 and Space is 32. The character array elements are converted into their respective integer values using typecasting technique of Java. Typecasting changes the datatype of a variable to another data type. Here a character is converted to integer by simply specifying the character as `(int) character`, which converts it into an integer value. This integer value is further converted into its respective binary value which ultimately we want using a `Integer.toString()` function which Java provides. Now 'A'  $\Rightarrow$  65 which when converted to binary fetches 1000001 is a 7 bit binary stream. Another value, e. g. number '6',  $\Rightarrow$  54 when converted to binary stream fetches 110110 which is a 6 bit binary stream. When entire message stream needs to be converted into a binary stream, all these small binary streams are concatenated. At the decoder end, it would be fairly difficult for the decoder to divide the received bit stream back into ASCII values since the length of individual characters in binary are different as we just saw. To overcome this problem, all the characters are converted to 8 bit binary streams by appending zeros at the start. Hence 'A' becomes 01000001 by appending one zero and '6' is converted to 00110110 by appending two zeros at the start. The entire process of starting with a

string and fetching an 8 bit binary stream is explained in the following

function: `public int[] readFile(String passedString)`

```
{
tempArray = new char[passedString. length()], tempArray2 = new
char[tempArray. length * 8], intempArray = new int[tempArray. length],
longInt = new int[tempArray2. length], String finalString = "", for(int i= 0, i }
String str7 = " 0", String str6 = " 00", tempArray = passedString.
toCharArray(), for(int i= 0, i } else if(strBinary. length()== 6){strBinary =
str6. concat(strBinary),} finalString = finalString. concat(strBinary),

}
}
```

All the small binary sub-streams are concatenated and stored into a final large stream declared as `finalString` shown above. For storage purposes, the `finalString` is stored into a character array where each character is either 1 or 0. This entire character array is converted into an integer array (not into the ASCII integer values but just the regular integer values) where character '1' gets replaced with integer 1 and character '0' is replaced with integer 0.

Thus a large binary string of cover media is generated at the sender using the above technique. This binary string is now divided into blocks of 12 bits each. Remember that Golay codes encode 12 bit block into a 23 bit codeword using encoding mechanism. This 12 bit block is first transformed into a row matrix with twelve elements, that is, if  $X = 101000101110$ , then  $X$  is converted into a row matrix as shown in Equation 5. 1:  $M = [1, 0, 1, 0, 0, 0, 1, 0, 1, 1, 1, 0]$  (5. 1)  $M$  is multiplied to the generator matrix  $G$  of Golay codes

which have 12 rows and 23 columns. The matrix multiplication ( $M \times G$ ) produces a matrix A, a row matrix with 23 bits. This row matrix is one of the 4096 codewords of the Golay codes. As explained before, all these subsequent multiplications and additions are modulo 2. Hence matrix A will contain only binary numbers 1 and 0. The conversion from 12 bit block to 23 bit codeword is processed for all the subsequent binary blocks of stream created of cover media text file and all these 23 bit codewords are appended to generate a large stream of bits. This conversion and matrix multiplication is explained below in function `matMultiply()`: `public int[][] matMultiply(int [][] A, int [][] B)`

```

{
int C [][] = new int[A.length][B[0].length], for(int i= 0, i } for (int i
=
0, i
<
A.length, i++){for (int j = 0, j < B[i].length, j++){for (int k = 0, k < A[i].
length, k++){C[i][j] = ((C[i][j]+(A[i][k] * B[k][j]))%2),
}
}
}
return(C),

```

}

This function takes its arguments as two matrices supposed to get multiplied viz. matrix A and matrix B. The result is stored into matrix C. For matrix multiplication, the number of rows of (B) must equal the number of columns of (A). Also the resulting matrix C should have dimensions such that there are the same number of rows of (C) as (A), and the same number of columns of (C) as (B). Hence the matrix C is declared as `int C [][] = new int[A.length][B[0].length],` where `A.length` specifies number of rows of A and `B[0].length` specifies number of columns of B. The matrix C is initialized to zero. The matrix multiplication follows the following rules:

- Every element from the row of matrix A is multiplied to its corresponding column element of the matrix B. For example, the 1st row, 3rd column element of matrix A is multiplied by the 3rd row, 1st column of matrix B and so on.
- All the intermediate multiplications are added for each row of A and each column of