

Introduction intention of modelling a simple version



INTRODUCTION While most branches of physics study predictable notions such as electricity or classical mechanics, chaos theory refers to that which is nonlinear and unpredictable.

That which is encompassed in chaos theory can be considered to be out of our control, such as the weather, which was in fact how the discovery that led to chaos theory occurred¹. Chaos theory refers to the behaviour of systems that are highly sensitive to their initial conditions. It was born from a phenomenon discovered by Edward Lorenz in 1972 called the 'butterfly effect'. This refers to an idea that most systems that change over time, be that natural or artificial, will differ if just the tiniest adjustment is made to their starting point. A well noted quote illustrating this was given by Philip Merilees who said, "Does the flap of a butterfly's wings in Brazil set off a tornado in Texas?"¹ This question sparked the beginning of a whole new field of research called chaos theory.

DISCOVERY OF CHAOS THEORY Lorenz was working as a researcher for the Massachusetts Institute of Technology when he combined meteorology with mathematics and computing. He built a processor with the intention of modelling a simple version of the weather. His breakthrough regarding the butterfly effect happened as he put numbers into his computer to rerun a simulation. The result he got was drastically different from what he expected to see and when looking into any possible errors, he realised that all he had done was rounded one of the values, using 0.506 instead of 0.506127.¹ It was here that Lorenz realised that small changes can have large consequences, and this is what eventually came to be known as

the butterfly effect. This accidental discovery had a paramount corollary which was that forecasting the future can be nearly impossible.

Lorenz's work was so ground-breaking as it challenged the classical understanding of nature published in 1687 by Isaac Newton. He had suggested a predictable system known as the "clockwork universe" 9, but Lorenz's discovery contradicted this. Not only did he spark a new theory of the way the universe works, his discovery also became the founding principle of chaos theory, which expanded rapidly and vastly during the 1970s and 1980s.

It eventually came to be extremely important in fields of science such as geology, biology and meteorology. "It became a wonderful instance of a seemingly esoteric piece of mathematics that had experimentally verifiable applications in the real world," says Daniel Rothman, a professor of geophysics at MIT. 9 EXAMPLES AND EFFECTS OF CHAOS THEORY From this we noticed that chaos can be found everywhere you look. One example of this is our solar system, this qualifies as a chaotic system because it involves the interaction of more than two bodies. Considering that it contains 8 planets (9 if you like Pluto), the sun, 181 moons 4 and countless asteroids and comets, our solar system is rather chaotic. But if our solar system is as chaotic as it seems to be, how can we possibly hope to predict its fate? The answer is that we simply can't. It is impossible to predict the fate of our world because the smallest error could cause a drastic change in the outcome.

5 However this does not mean that our solar system is fated for a violent demise, in fact these chaotic orbits tend to be 'bounded' which means that

they move in cycles that never repeat identically, but are contained within a limited volume of space. This limits the danger of collision. 1 Another example of a chaotic system is a double pendulum, where two rods are joined insecurely and allowed to swing freely. The unpredictability exhibited by this system illustrates the random motion that we expect to see in a chaotic system. The bottom pendulum traces a pattern containing loops. This pattern illustrates an attraction to a certain form.

This is where the 'strange attractor' came from. The most well-known example of a strange attractor is the Lorenz attractor (shown in figure 1), this is a map of the movement of a chaotic system in three dimensions 1. It illustrates the random motion of a chaotic system as it shows that two points on the attractor that are near each other at one time will be arbitrarily far apart later on. 7 The fact that these systems are bounded does not mean that they can't have extreme consequences. This is exhibited by the effect that the planets in our solar system can have on each other. Although the orbits do not deviate significantly, the chaotic motion has the possibility of causing a catastrophic danger.

For example, a tiny knock to Saturn from the particles in the solar wind could make its orbit aperiodic. 1 This means that its path will change each time it orbits the sun. This opens up the possibility that Jupiter, Saturn and the Sun will align at some point. The combined gravitational pull of this trio would be enough to pull rocks out of the asteroid belt that lies between the orbits of Jupiter and Mars, causing an asteroid storm.

Some scientists believe that such an event preceded the asteroid impact that ended the age of the dinosaurs, this shows the drastic effect that chaos could have on the Earth. However, the possible effects of chaos theory aren't all bad. In fact, chaos theory has brought about a greater understanding of certain illnesses and has therefore caused medical advances. The up and down pattern of epidemics such as AIDS, measles and polio follows a chaotic trajectory, meaning that it is sensitive to the tiniest variations; for example, an inoculation programme. 1 Theorists call it 'bifurcation' which refers to the qualitative change in the dynamics of a system produced by varying parameters.

8 The introduction of an inoculation programme can cause the epidemic to be thrown into a chaotic frenzy. This means that the short-term figures for the disease may increase, however awareness of chaos allows medical researchers to ignore the short-term issue and allow for a chaotic response. This response suggests that it should be followed by a downward trajectory in the long term. 1 FRACTAL PATTERNS These phenomena are often described by fractal mathematics, which capture the infinite complexity of nature. Many natural objects exhibit fractal properties, including landscapes, clouds, trees, organs, rivers etc, and many of the systems in which we live exhibit complex, chaotic behaviour. Recognizing the chaotic, fractal nature of our world can give us new insight, power, and wisdom.

For example, by understanding the complex, chaotic dynamics of the atmosphere, a balloon pilot can "steer" a balloon to a desired location. By understanding that our ecosystems, our social systems, and our economic

systems are interconnected, we can hope to avoid actions which may end up being detrimental to our long-term well-being.