

Atwood's machine experiment



**ASSIGN
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Carleton University Laboratory Report Atwood's Machine Experiment Course
 Number: PHYS 1007 Experiment Number: 3 Lab Period: Thursday AM Group
 Number: L1 Lab Partner: Zain Amer Workstation Number: 16 TA Name:
 Leila Date Performed: October 10, 2013 Date Submitted: October 24,
 2013 This Report Submitted by: Ryan Maxwell 100952356 Purpose: The
 purpose of this experiment was to measure the acceleration due to gravity
 (g) using Atwood's Machine, and to also measure the frictional torque of the
 machine. Theory: Assuming that m_2 is greater than m_1 , and applying
 Newton's second law of motion on these two masses gives two equations:
 $m_2g - T_2 = m_2a$ (1) $T_1 - m_1g = m_1a$ (2) For rotating systems, friction always
 shows up in the form of torque for equations of motion, which slows the
 rotation. There is a counter-clockwise torque that exists: $\tau = T_2'r - T_1'r$
 (3) where T_1' and T_2' have the same magnitudes as T_1 and T_2 and are the
 reactions of these two terms.

The term r represents the radius of the pulley. The torque causes the pulley
 to accelerate angularly, which is given the symbol α . The rotation of the
 pulley is then the torque equation: $I\alpha = T_2r - T_1r - \tau$ (4) where I is the rotational
 inertia of the pulley, and τ is the torque caused by the friction on the axle. It
 can be assumed that the angle between the string and the radius of the
 pulley is 90° . In this way the $\sin(\theta) = 1$. Assuming that there is no slipping of
 the string over the pulley, one can solve for one of the four unknowns
 remaining, $\alpha = ar$ (5) When one substitutes this equation into the torque
 equation for τ , the result is: $Iar^2 + \tau r = T_2 - T_1$.

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