

Forecast exam test quiz

[Science](#), [Statistics](#)



Chapter FORECASTING Discussion Questions 1.? Qualitative models

incorporate subjective factors into the forecasting model. Qualitative models are useful when subjective factors are important. When quantitative data are difficult to obtain, qualitative models may be appropriate. 2.? Approaches are qualitative and quantitative. Qualitative is relatively subjective; quantitative uses numeric models. 3.? Short-range (under 3 months), medium-range (3 months to 3 years), and long-range (over 3 years). 4.? The steps that should be used to develop a forecasting system are: (a)?

Determine the purpose and use of the forecast (b)? Select the item or quantities that are to be forecasted (c)? Determine the time horizon of the forecast (d)? Select the type of forecasting model to be used (e)? Gather the necessary data (f)? Validate the forecasting model (g)? Make the forecast (h)? Implement and evaluate the results 5.? Any three of: sales planning, production planning and budgeting, cash budgeting, analyzing various operating plans. 6.? There is no mechanism for growth in these models; they are built exclusively from historical demand values. Such methods will always lag trends. .? Exponential smoothing is a weighted moving average where all previous values are weighted with a set of weights that decline exponentially. 8.? MAD, MSE, and MAPE are common measures of forecast accuracy. To find the more accurate forecasting model, forecast with each tool for several periods where the demand outcome is known, and calculate MSE, MAPE, or MAD for each. The smaller error indicates the better forecast. 9.? The Delphi technique involves: (a)? Assembling a group of experts in such a manner as to preclude direct communication between identifiable members of the group (b)?

Assembling the responses of each expert to the questions or problems of interest (c)? Summarizing these responses (d)? Providing each expert with the summary of all responses (e)? Asking each expert to study the summary of the responses and respond again to the questions or problems of interest. (f)? Repeating steps (b) through (e) several times as necessary to obtain convergence in responses. If convergence has not been obtained by the end of the fourth cycle, the responses at that time should probably be accepted and the process terminated—little additional convergence is likely if the process is continued. 0.? A time series model predicts on the basis of the assumption that the future is a function of the past, whereas an associative model incorporates into the model the variables of factors that might influence the quantity being forecast. 11.? A time series is a sequence of evenly spaced data points with the four components of trend, seasonality, cyclical, and random variation. 12.? When the smoothing constant, α , is large (close to 1. 0), more weight is given to recent data; when α is low (close to 0. 0), more weight is given to past data. 13.? Seasonal patterns are of fixed duration and repeat regularly.

Cycles vary in length and regularity. Seasonal indices allow “generic” forecasts to be made specific to the month, week, etc. , of the application. 14.? Exponential smoothing weighs all previous values with a set of weights that decline exponentially. It can place a full weight on the most recent period (with an alpha of 1. 0). This, in effect, is the naive approach, which places all its emphasis on last period’s actual demand. 15.? Adaptive forecasting refers to computer monitoring of tracking signals and self-adjustment if a signal passes its present limit. 16.?

Tracking signals alert the user of a forecasting tool to periods in which the forecast was in significant error. 17.? The correlation coefficient measures the degree to which the independent and dependent variables move together. A negative value would mean that as X increases, Y tends to fall. The variables move together, but move in opposite directions. 18.? Independent variable (x) is said to explain variations in the dependent variable (y). 19.? Nearly every industry has seasonality. The seasonality must be filtered out for good medium-range planning (of production and inventory) and performance evaluation. 20.? There are many examples.

Demand for raw materials and component parts such as steel or tires is a function of demand for goods such as automobiles. 21.? Obviously, as we go farther into the future, it becomes more difficult to make forecasts, and we must diminish our reliance on the forecasts. Ethical Dilemma This exercise, derived from an actual situation, deals as much with ethics as with forecasting. Here are a few points to consider: | No one likes a system they don't understand, and most college presidents would feel uncomfortable with this one. It does offer the advantage of depoliticizing the funds allocation if used wisely and fairly.

But to do so means all parties must have input to the process (such as smoothing constants) and all data need to be open to everyone. | The smoothing constants could be selected by an agreed-upon criteria (such as lowest MAD) or could be based on input from experts on the board as well as the college. | Abuse of the system is tied to assigning alphas based on what results they yield, rather than what alphas make the most sense. |

Regression is open to abuse as well. Models can use many years of data yielding one result or few years yielding a totally different forecast.

Selection of associative variables can have a major impact on results as well.

Active Model Exercises* ACTIVE MODEL 4. 1: Moving Averages 1.? What does the graph look like when $n = 1$? The forecast graph mirrors the data graph but one period later. 2.? What happens to the graph as the number of periods in the moving average increases? The forecast graph becomes shorter and smoother. 3.? What value for n minimizes the MAD for this data? $n = 1$ (a naive forecast) ACTIVE MODEL 4. 2: Exponential Smoothing 1.? What happens to the graph when α equals zero? The graph is a straight line.

The forecast is the same in each period. 2.? What happens to the graph when α equals one? The forecast follows the same pattern as the demand (except for the first forecast) but is offset by one period. This is a naive forecast. 3.? Generalize what happens to a forecast as α increases. As α increases the forecast is more sensitive to changes in demand.

*Active Models 4. 1, 4. 2, 4. 3, and 4. 4 appear on our Web site, www.pearsonhighered.com/heizer. 4.? At what level of α is the mean absolute deviation (MAD) minimized? $\alpha = .16$ ACTIVE MODEL 4. 3: Exponential Smoothing with Trend Adjustment .? Scroll through different values for α and β . Which smoothing constant appears to have the greater effect on the graph? α 2.? With β set to zero, find the best α and observe the MAD. Now find the best β . Observe the MAD. Does the addition of a trend improve the forecast? $\alpha = .11$, $MAD = 2.59$; β above .6 changes the MAD (by a little) to 2.54. ACTIVE MODEL 4. 4: Trend Projections

1.? What is the annual trend in the data? 10. 54 2.? Use the scrollbars for the slope and intercept to determine the values that minimize the MAD. Are these the same values that regression yields?

No, they are not the same values. For example, an intercept of 57. 81 with a slope of 9. 44 yields a MAD of 7. 17. End-of-Chapter Problems [pic] (b) | | |

Weighted | | Week of | Pints Used | Moving Average | | August 31 | 360 | | |

September 7 | 389 | 381 (. 1 = ? 38. 1 | | September 14 | 410 | 368 (. 3 =

110. 4 | | September 21 | 381 | 374 (. 6 = 224. 4 | | September 28 | 368 |

372. | | October 5 | 374 | | | Forecast 372. 9 | | (c) | | | Forecasting | Error | |

| Week of | Pints | Forecast | Error |(. 20 | Forecast| | August 31 | 360 | 360 |

0 | 0 | 360 | | September 7 | 389 | 360 | 29 | 5. 8 | 365. 8 | | September 14 |

410 | 365. 8 | 44. 2 | 8. 84 | 374. 64 | | September 21 | 381 | 374. 64 | 6. 36 |

1. 272 | 375. 12 | | September 28 | 368 | 375. 912 |-7. 912 |-1. 5824 | 374.

3296| | October 5 | 374 | 374. 3296 |-. 3296 |-. 06592 | 374. 2636| The

forecast is 374. 26. (d)? The three-year moving average appears to give

better results. [pic] [pic] Naive tracks the ups and downs best but lags the

data by one period. Exponential smoothing is probably better because it

smoothes the data and does not have as much variation. TEACHING NOTE:

Notice how well exponential smoothing forecasts the naive. [pic] (c)? The

banking industry has a great deal of seasonality in its processing

requirements [pic] b) | | | Two-Year | | | Year | Mileage | Moving Average |

Error || Error| | | 1 | 3, 000 | | | | 2 | 4, 000 | | | | 3 | 3, 400 | 3, 500 |-100 |

| 100 | | 4 | 3, 800 | 3, 700 | 100 | | 100 | | 5 | 3, 700 | 3, 600 | 100 | | 100 | | |

| Totals| | 100 | | | 300 | | [pic] 4. 5? (c)? Weighted 2 year M. A. ith . 6 weight

for most recent year. | Year | Mileage | Forecast | Error || Error| | | 1 | 3, 000 |

||| 2 | 4, 000 | ||| 3 | 3, 400 | 3, 600 | -200 | 200 | | 4 | 3, 800 | 3, 640 |
 160 | 160 | | 5 | 3, 700 | 3, 640 | 60 | 60 | ||||| 420 | | Forecast for year 6 is
 3, 740 miles. [pic] 4. 5? (d) | | | Forecast | Error (| New | | Year | Mileage |
 Forecast | Error | (= . 50 | Forecast | | 1 | 3, 000 | 3, 000 | ?? ? 0 | ?? 0 | 3, 000
 | | 2 | 4, 000 | 3, 000 | 1, 000 | 500 | 3, 500 | | 3 | 3, 400 | 3, 500 | -100 | -50 |
 3, 450 | | 4 | 3, 800 | 3, 450 | 350 | 175 | 3, 625 | | 5 | 3, 700 | 3, 625 | 75 | ?
 38 | 3, 663 | ||| Total | 1, 325 | ||| The forecast is 3, 663 miles. 4. 6 | Y Sales
 | X Period | X2 | XY | | January | 20 | 1 | 1 | 20 | | February | 21 | 2 | 4 | 42 | |
 March | 15 | 3 | 9 | 45 | | April | 14 | 4 | 16 | 56 | | May | 13 | 5 | 25 | 65 | | June
 | 16 | 6 | 36 | 96 | | July | 17 | 7 | 49 | 119 | | August | 18 | 8 | 64 | 144 | |
 September | 20 | 9 | 81 | 180 | | October | 20 | 10 | 100 | 200 | | November |
 21 | 11 | 121 | 231 | | December | 23 | 12 | 144 | 276 | | Sum | ?? 18 | 78 | 650
 | 1, 474 | | Average | ? 18. 2 | 6. 5 | | | (a) [pic] (b)? [i]? Naive The coming
 January = December = 23 [ii]? 3-month moving ?? $(20 + 21 + 23)/3 = 21$. 33
 [iii]? 6-month weighted $[(0. 1 (17) + (. 1 (18)) + (0. 1 (20) + (0. 2$
 $(20)) + (0. 2 (21) + (0. 3 (23))]/1. 0 = 20. 6$ [iv]? Exponential smoothing
 with alpha = 0. 3 [pic] [v]? Trend? [pic] [pic] Forecast = 15. 73? +?. 38(13) =
 20. 67, where next January is the 13th month. (c)? Only trend provides an
 equation that can extend beyond one month 4. 7? Present = Period (week) 6.
 a) So: where [pic])If the weights are 20, 15, 15, and 10, there will be no
 change in the forecast because these are the same relative weights as in
 part (a), i. e. , 20/60, 15/60, 15/60, and 10/60. c)If the weights are 0. 4, 0. 3,
 0. 2, and 0. 1, then the forecast becomes 56. 3, or 56 patients. [pic] [pic] |
 Temperature | 2 day M. A. | | Error| |(Error)2| Absolute | % Error | | 93 | — | — |
 — | — | | 94 | — | — | — | — | | 93 | 93. 5 | ?? 0. 5 | ? 0. 25 | 100(. 5/93) | = 0. 54%

$| | 95 | 93.5 | ?? 1.5 | ? 2.25 | 100(1.5/95) | = 1.58\% | | 96 | 94.0 | ?? 2.0 | ? 4.00 | 100(2/96) | = 2.08\% | | 88 | 95.5 | ?? 7. | 56.25 | 100(7.5/88) | = 8.52\% | | 90 | 92.0 | ?? 2.0 | ? 4.00 | 100(2/90) | = 2.22\% | | | | 13.5 | | | 66.75 | | | 14.94\% | MAD = 13.5/5 = 2.7 (d)? MSE = 66.75/5 = 13.35 (e)? MAPE = 14.94\%/5 = 2.99\% 4.9? (a, b) The computations for both the two- and three-month averages appear in the table; the results appear in the figure below. [pic] (c)? MAD (two-month moving average) = .750/10 = .075 MAD (three-month moving average) = .793/9 = .088 Therefore, the two-month moving average seems to have performed better. [pic] (c)? The forecasts are about the same. [pic] 4.12? t | Day | Actual | Forecast | | | | Demand | Demand | | | 1 | Monday | 88 | 88 | | | 2 | Tuesday | 72 | 88 | | | 3 | Wednesday | 68 | 84 | | | 4 | Thursday | 48 | 80 | | | 5 | Friday | | 72 | (Answer | $F_t = F_{t-1} + ((A_{t-1} - F_{t-1})$ Let $(= .25$. Let Monday forecast demand = 88 $F_2 = 88 + .25(88 - 88) = 88 + 0 = 88$ $F_3 = 88 + .25(72 - 88) = 88 - 4 = 84$ $F_4 = 84 + .25(68 - 84) = 84 - 4 = 80$ $F_5 = 80 + .25(48 - 80) = 80 - 8 = 72$ 4.13? (a)? Exponential smoothing, $(= 0.6$: | | | Exponential | Absolute | | Year | Demand | Smoothing $(= 0. | Deviation | | 1 | 45 | 41 | 4.0 | | 2 | 50 | 41.0 + 0.6(45-41) = 43.4 | 6.6 | | 3 | 52 | 43.4 + 0.6(50-43.4) = 47.4 | 4.6 | | 4 | 56 | 47.4 + 0.6(52-47.4) = 50.2 | 5.8 | | 5 | 58 | 50.2 + 0.6(56-50.2) = 53.7 | 4.3 | | 6 | ? | 53.7 + 0.6(58-53.7) = 56.3 | | $(= .25$ 3 MAD = 5.06 Exponential smoothing, $(= 0.9$: | | | Exponential | Absolute | | Year | Demand | Smoothing $(= 0. | Deviation | | 1 | 45 | 41 | 4.0 | | 2 | 50 | 41.0 + 0.9(45-41) = 44.6 | 5.4 | | 3 | 52 | 44.6 + 0.9(50-44.6) = 49.5 | 2.5 | | 4 | 56 | 49.5 + 0.9(52-49.5) = 51.8 | 4.2 | | 5 | 58 | 51.8 + 0.9(56-51.8) = 55.6 | 2.4 | | 6 | ? | 55.6 + 0.9(58-55.6) = 57.8 | | $(= .25$ 3 MAD = 3.7 (b)? 3-$$$

year moving average: | | | Three-Year | Absolute | | Year | Demand | Moving
Average | Deviation | | 1 | 45 | | | 2 | 50 | | | 3 | 52 | | | 4 | 56 | $(45 + 50 + 52)/3 = 49$ | 7 | | 5 | 58 | $(50 + 52 + 56)/3 = 52.7$ | 5.3 | | 6 | ? | $(52 + 56 + 58)/3 = 55.3$ | | (= 12.3 MAD = 6.2 (c)? Trend projection: | | | Absolute | |
Year | Demand | Trend Projection | Deviation | | 1 | 45 | $42.6 + 3.2 (1 = 45.8$ | 0.8 | | 2 | 50 | $42.6 + 3.2 (2 = 49.0$ | 1.0 | | 3 | 52 | $42.6 + 3.2 (3 = 52.2$ | 0.2 | | 4 | 56 | $42.6 + 3.2 (4 = 55.4$ | 0. | | 5 | 58 | $42.6 + 3.2 (5 = 58.6$ | 0.6 | | 6 | ? | $42.6 + 3.2 (6 = 61.8$ | | (= 3.2 MAD = 0.64 [pic] | X |
Y | XY | X² | | 1 | 45 | 45 | 1 | | 2 | 50 | 100 | 4 | | 3 | 52 | 156 | 9 | | 4 | 56 | 224 | 16 | | 5 | 58 | 290 | 25 | Then: (X = 15, (Y = 261, (XY = 815, (X² = 55,
[pic]= 3, [pic]= 52.2 Therefore: [pic] (d)? Comparing the results of the
forecasting methodologies for parts (a), (b), and (c). | Forecast Methodology |
MAD | | Exponential smoothing, (= 0. | 5.06 | | Exponential smoothing, (=
0.9 | 3.7 | | 3-year moving average | 6.2 | | Trend projection | 0.64 | Based
on a mean absolute deviation criterion, the trend projection is to be
preferred over the exponential smoothing with (= 0.6, exponential
smoothing with (= 0.9, or the 3-year moving average forecast
methodologies. 4.14 Method 1: MAD: $(0.20 + 0.05 + 0.05 + 0.20)/4 = .125$ (better MSE : $(0.04 + 0.0025 + 0.0025 + 0.04)/4 = .021$ Method 2:
MAD: $(0.1 + 0.20 + 0.10 + 0.11) / 4 = .1275$ MSE : $(0.01 + 0.04 + 0.01 + 0.0121) / 4 = .018$ (better 4.15 | | Forecast Three-Year | Absolute | | Year
| Sales | Moving Average | Deviation | | 2005 | 450 | | | 2006 | 495 | | |
2007 | 518 | | | 2008 | 563 | $(450 + 495 + 518)/3 = 487.7$ | 75.3 | | 2009 |
584 | $(495 + 518 + 563)/3 = 525.3$ | 58.7 | | 2010 | | $(518 + 563 + 584)/3 = 555.0$ | | | | (= 134 | | | MAD = 67 | 4.16 Year | Time Period X | Sales Y |

X2 | XY | | 2005 | 1 | 450 | 1 | 450 | | 2006 | 2 | 495 | 4 | 990 | | 2007 | 3 | 518
 | 9 | 1554 | | 2008 | 4 | 563 | 16 | 2252 | | 2009 | 5 | 584 | 25 | 2920 | | | (=
 2610 | | (= 55 | | (= 8166 | [pic] [pic] | Year | Sales | Forecast Trend | Absolute
 Deviation | | 2005 | 450 | 454. 8 | 4. 8 | | 2006 | 495 | 488. 4 | 6. | | 2007 |
 518 | 522. 0 | 4. 0 | | 2008 | 563 | 555. 6 | 7. 4 | | 2009 | 584 | 589. 2 | 5. 2 | |
 2010 | | 622. 8 | | | | | (= 28 | | | | MAD = 5. 6 | 4. 17 | | | Forecast
 Exponential | Absolute | | Year | Sales | Smoothing (= 0. 6 | Deviation | |
 2005 | 450 | 410. 0 | 40. | | 2006 | 495 | 410 + 0. 6(450 - 410) = 434. 0 | 61.
 0 | | 2007 | 518 | 434 + 0. 6(495 - 434) = 470. 6 | 47. 4 | | 2008 | 563 | 470.
 6 + 0. 6(518 - 470. 6) = 499. 0 | 64. 0 | | 2009 | 584 | 499 + 0. 6(563 - 499)
 = 537. 4 | 46. 6 | | 2010 | | 537. 4 + 0. 6(584 - 537. 4) = 565. 6 | | | | (=
 259 | | | | MAD = 51. 8 | | | | Forecast Exponential | Absolute | | Year | Sales |
 Smoothing (= 0. | Deviation | | 2005 | 450 | 410. 0 | 40. 0 | | 2006 | 495 | 410
 + 0. 9(450 - 410) = 446. 0 | 49. 0 | | 2007 | 518 | 446 + 0. 9(495 - 446) =
 490. 1 | 27. 9 | | 2008 | 563 | 490. 1 + 0. 9(518 - 490. 1) = 515. 2 | 47. 8 | |
 2009 | 584 | 515. 2 + 0. 9(563 - 515. 2) = 558. 2 | 25. 8 | | 2010 | | 558. 2 +
 0. 9(584 - 558. 2) = 581. 4 | | | | (= 190. 5 | | | | MAD = 38. 1 | (Refer to
 Solved Problem 4. 1)

For (= 0. 3, absolute deviations for 2005–2009 are 40. 0, 73. 0, 74. 1, 96. 9,
 88. 8, respectively. So the MAD = 372. 8/5 = 74. 6. [pic] Because it gives the
 lowest MAD, the smoothing constant of (= 0. 9 gives the most accurate
 forecast. 4. 18? We need to find the smoothing constant (. We know in
 general that $F_t = F_{t-1} + ((A_{t-1} - F_{t-1})$; $t = 2, 3, 4$. Choose either $t = 3$ or $t =$
 4 ($t = 2$ won't let us find (because $F_2 = 50 = 50 + ((50 - 50)$ holds for any

(. Let's pick $t = 3$. Then $F_3 = 48 = 50 + ((42 - 50) \text{ or } 48 = 50 + 42(-50 \text{ or } -2 = -8)$ So, $.25 = ($ Now we can find F_5 : $F_5 = 50 + ((46 - 50)$

$F_5 = 50 + 46(-50) = 50 - 4($ For $(= .25$, $F_5 = 50 - 4(.25) = 49$ The forecast for time period 5 = 49 units.

4. 19? Trend adjusted exponential smoothing: $(= 0.1$, $(= 0.2$ | | | Unadjusted | | Adjusted | | | Month | Income | Forecast | Trend | Forecast || Error|| Error2 | | February | 70.0 | 65.0 | 0.0 | 65 | ? 5.0 | ? 25.0 | | March | 68.5 | 65.5 | 0.1 | 65.6 | ? 2.9 | ? 8.4 | | April | 64.8 | 65.9 | 0.16 | 66.05 | ? 1.2 | ? 1.6 | | May | 71.7 | 65.92 | 0.13 | 66.06 | ? 5.6 | ? 31.9 | | June | 71. | 66.62 | 0.25 | 66.87 | ? 4.4 | ? 19.7 | | July | 72.8 | 67.31 | 0.33 | 67.64 | ? 5.2 | ? 26.6 | | August | | 68.16 | | 68.60 | | 24.3 | | | 113.2 | | $MAD = 24.3/6 = 4.05$, $MSE = 113.2/6 = 18.87$. Note that all numbers are rounded. Note: To use POM for Windows to solve this problem, a period 0, which contains the initial forecast and initial trend, must be added.

4. 20? Trend adjusted exponential smoothing: $(= 0.1$, $(= 0.8$

[pic] [pic] [pic] [pic] [pic] [pic] [pic] [pic] [pic] [pic] [pic] [pic] 4. 23? Students must determine the naive forecast for the four months.

The naive forecast for March is the February actual of 83, etc. |(a) | | Actual | Forecast || Error| ||% Error| | | March | 101 | 120 | 19 | 100 $(19/101) = 18.81\%$ | | | April | ? 96 | 114 | 18 | 100 $(18/96) ? = 18.75\%$ | | | May | ? 89 | 110 | 21 | 100 $(21/89) ? = 23.60\%$ | | | June | 108 | 108 | ? 0 | 100 $(0/108) ? = ??0\%$ | | | | | 58 | | | 61.16% | [pic] |(b)| | Actual | Naive || Error| ||% Error| | | March | 101 | ? 83 | 18 | 100 $(18/101) = 17.82\%$ | | | April | ? 96 | 101 | ? | 100 $(5/96) ? = 5.21\%$ | | | May | ? 89 | ? 96 | ? 7 | 100 $(7/89) ? = ? 7.87\%$ | | | June | 108 | ? 89 | 19 | 100 $(19/108) = 17.59\%$ | | | | | 49 | | | 48.49% | | [pic]

Naive outperforms management. (c)? MAD for the manager's technique is

14. 5, while MAD for the naive forecast is only 12. 25. MAPEs are 15. 29% and 12. 12%, respectively. So the naive method is better. 4. 24? (a)? Graph of demand The observations obviously do not form a straight line but do tend to cluster about a straight line over the range shown. (b)? Least-squares regression: [pic] Assume Appearances X | Demand Y | X² | Y² | XY | | 3 | 3 | 9 | 9 | 9 | | 4 | 6 | 16 | 36 | 24 | | 7 | 7 | 49 | 49 | 49 | | 6 | 5 | 36 | 25 | 30 | | 8 | 10 | 64 | 100 | 80 | | 5 | 7 | 25 | 49 | 35 | | 9 | ? | | | (X = 33, (Y = 38, (XY = 227, (X² = 199, [pic]= 5. 5, [pic]= 6. 33. Therefore: [pic] The following figure shows both the data and the resulting equation: [pic] (c) If there are nine performances by Stone Temple Pilots, the estimated sales are: (d) R = . 82 is the correlation coefficient, and R² = . 68 means 68% of the variation in sales can be explained by TV appearances. 4. 25? | Number of | | | | | Accidents | | | | Month |(y) | x | xy | x² | | January | 30 | 1 | 30 | 1 | | February | 40 | 2 | 80 | 4 | | March | 60 | 3 | 180 | 9 | | April | 90 | 4 | 360 | 16 | | ? Totals | | 220 | | | [pic] The regression line is $y = 5 + 20x$. The forecast for May ($x = 5$) is $y = 5 + 20(5) = 105$. 4. 26 | Season | Year1 | Year2 | Average | Average | Seasonal | Year3 | | Demand | Demand | Year1(Year2 | Season | Index | Demand | | | Demand | Demand | | | Fall | 200 | 250 | 225. 0 | 250 | 0. 90 | 270 | | Winter | 350 | 300 | 325. | 250 | 1. 30 | 390 | | Spring | 150 | 165 | 157. 5 | 250 | 0. 63 | 189 | | Summer | 300 | 285 | 292. 5 | 250 | 1. 17 | 351 | 4. 27 | | Winter | Spring | Summer | Fall | | 2006 | 1, 400 | 1, 500 | 1, 000 | 600 | | 2007 | 1, 200 | 1, 400 | 2, 100 | 750 | | 2008 | 1, 000 | 1, 600 | 2, 000 | 650 | | 2009 | 900 | 1, 500 | 1, 900 | 500 | | 4, 500 | 6, 000 | 7, 000 | 2, 500 | 4. 28 | | | | Average | | | | | Average | Quarterly | Seasonal | | Quarter | 2007 | 2008 | 2009 | Demand | Demand | Index | | Winter | 73 | 65 | 89 | 75. 67 | 106. 67 |

0. 709 | | Spring | 104 | 82 | 146 | 110. 67 | 106. 67 | 1. 037 | | Summer | 168
 | 124 | 205 | 165. 67 | 106. 67 | 1. 553 | | Fall | 74 | 52 | 98 | 74. 67 | 106. 67 |
 0. 700 | 4. 29? 2011 is 25 years beyond 1986. Therefore, the 2011 quarter
 numbers are 101 through 104. | | | | (5) | | (2) | (3) | (4) | Adjusted | | (1) |
 Quarter | Forecast | Seasonal | Forecast | | Quarter | Number | (77 + . 3Q) |
 Factor | [(3) (4)] | | Winter | 101 | 120. 43 | . 8 | 96. 344 | | Spring | 102 |
 120. 86 | 1. 1 | 132. 946 | | Summer | 103 | 121. 29 | 1. 4 | 169. 806 | | Fall |
 104 | 121. 72 | . 7 | 85. 204 | 4. 30? Given $Y = 36 + 4.3X$ (a) $Y = 36 + 4.3(70) = 337$ (b) $Y = 36 + 4.3(80) = 380$ (c) $Y = 36 + 4.3(90) = 423$ 4. 31 4.
 33? (a)? See the table below. For next year ($x = 6$), the number of transistors
 (in millions) is forecasted as $y = 126 + 18(6) = 126 + 108 = 234$. Then $y = a$
 + bx , where y = number sold, x = price, and | 4. 32? a) | x | y | xy | x^2 | | | 16
 | 330 | 5, 280 | 256 | | | 12 | 270 | 3, 240 | 144 | | | 18 | 380 | 6, 840 | 324 | | |
 14 | 300 | 4, 200 | 196 | | | 60 | 1, 280 | 19, 560 | 920 | So at $x = 2.80$, $y = 1,$
 454. 6 – 277. 6(\$2. 80) = 677. 32. Now round to the nearest integer: Answer:
 677 lattes. [pic] (b)? If the forecast is for 20 guests, the bar sales forecast is
 $50 + 18(20) = \$410$. Each guest accounts for an additional \$18 in bar sales. |
 Table for Problem 4. 33 | | | | | Year | Transistors | | | | | (x) | (y) | xy | x^2 |
 $126 + 18x$ | Error | Error2 | | % Error | | | ? 1 | 140 | ? 140 | ? 1 | 144 | -4 | ? 16 |
 100 (4/140)? = 2. 86% | | | ? 2 | 160 | ? 320 | ? 4 | 162 | -2 | ?? 4 | 100 (2/160)?
 = 1. 25% | | | ? 3 | 190 | ? 570 | ? 9 | 180 | 10 | 100 | 100 (10/190) = 5. 26% | |
 | ? 4 | 200 | ? 800 | 16 | 198 | ? 2 | ?? 4 | 100 (2/200) = 1. 00% | | | ? | 210 | 1,
 050 | 25 | 216 | -6 | ? 36 | 100 (6/210)? = 2. 86% | | Totals | 15 | | | 900 | | | 2,
 800 | | (b)? $MSE = 160/5 = 32$ (c)? $MAPE = 13.23\%/5 = 2.65\%$ 4. 34? $Y = 7.$
 $5 + 3.5X_1 + 4.5X_2 + 2.5X_3$ (a)? 28 (b)? 43 (c)? 58 4. 35? (a)? [pic] = 13,

$473 + 37.65(1860) = 83,502$ (b)? The predicted selling price is \$83,502, but this is the average price for a house of this size. There are other factors besides square footage that will impact the selling price of a house. If such a house sold for \$95,000, then these other factors could be contributing to the additional value. (c)?

Some other quantitative variables would be age of the house, number of bedrooms, size of the lot, and size of the garage, etc. (d)? Coefficient of determination $= (0.63)^2 = 0.397$. This means that only about 39.7% of the variability in the sales price of a house is explained by this regression model that only includes square footage as the explanatory variable. 4.36? (a)? Given: $Y = 90 + 48.5X_1 + 0.4X_2$ where: [pic] If: Number of days on the road ($X_1 = 5$ and distance traveled ($X_2 = 300$ then: $Y = 90 + 48.5(5) + 0.4(300) = 90 + 242.5 + 120 = 452.5$ Therefore, the expected cost of the trip is \$452.50. (b)? The reimbursement request is much higher than predicted by the model. This request should probably be questioned by the accountant. (c)?

A number of other variables should be included, such as: 1.? the type of travel (air or car) 2.? conference fees, if any 3.? costs of entertaining customers 4.? other transportation costs—cab, limousine, special tolls, or parking In addition, the correlation coefficient of 0.68 is not exceptionally high. It indicates that the model explains approximately 46% of the overall variation in trip cost. This correlation coefficient would suggest that the model is not a particularly good one. 4.37? (a, b) | Period | Demand | Forecast | Error | Running sum || error| | | 1 | 20 | 20 | 0.00 | 0.00 | 0.00 | | 2 | 21 | 20 | 1.00 | 1.0 | 1.00 | | 3 | 28 | 20.5 | 7.50 | 8.50 | 7.50 | | 4 | 37 |

24. 25 | 12. 75 | 21. 25 | 12. 75 | | 5 | 25 | 30. 63 | -5. 63 | 15. 63 | 5. 63 | | 6 |
 29 | 27. 81 | 1. 19 | 16. 82 | 1. 19 | | 7 | 36 | 28. 41 | 7. 59 | 24. 41 | 7. 59 | | 8
 | 22 | 32. 20 | -10. 20 | 14. 21 | 10. 20 | | 9 | 25 | 27. 11 | -2. 10 | 12. 10 | 2. 10
 | | 10 | 28 | 26. 05 | ?? 1. 95 | 14. 05 | ?? | | | | | 1. 95 | | | | | | | | | | | |
 MAD[pic]5. 00 | Cumulative error = 14. 05; MAD = 5? Tracking = 14. 05/5
 (2. 82 4. 38? (a)? least squares equation: $Y = -0.158 + 0.1308X$ (b)? $Y = -$
 $0.158 + 0.1308(22) = 2.719$ million (c)? coefficient of correlation = $r = 0.$
 966 coefficient of determination = $r^2 = 0.934$ 4. 39 | Year X | Patients Y | X^2
 | Y^2 | XY | |? 1 |? 36 |?? 1 |? 1, 296 |?? 36 | |? 2 |? 33 |?? |? 1, 089 |?? 66 | |? 3
 |? 40 |?? 9 |? 1, 600 |? 120 | |? 4 |? 41 |? 16 |? 1, 681 |? 164 | |? 5 |? 40 |? 25
 |? 1, 600 |? 200 | |? 6 |? 55 |? 36 |? 3, 025 |? 330 | |? 7 |? 60 |? 49 |? 3, 600 |?
 420 | |? 8 |? 54 |? 64 |? 2, 916 |? 432 | |? 9 |? 58 |? 81 |? 3, 364 |? 522 | | 10 |?
 61 | 100 |? 3, 721 |? 10 | | 55 | | | 478 | | | X | Y | Forecast | Deviation |
 Deviation | |? 1 | 36 | 29. 8 + 3. 28 (? 1 = 33. 1 |? 2. 9 | 2. 9 | |? 2 | 33 | 29. 8
 + 3. 28 (? 2 = 36. 3 | -3. 3 | 3. 3 | |? 3 | 40 | 29. 8 + 3. 28 (? 3 = 39. 6 |? 0. 4
 | 0. 4 | |? 4 | 41 | 29. 8 + 3. 28 (? 4 = 42. 9 | -1. 9 | 1. 9 | |? 5 | 40 | 29. 8 + 3.
 28 (? 5 = 46. 2 | -6. 2 | 6. 2 | |? 6 | 55 | 29. 8 + 3. 28 (? 6 = 49. 4 |? 5. 6 | 5.
 6 | |? 7 | 60 | 29. 8 + 3. 28 (? 7 = 52. 7 |? 7. 3 | 7. 3 | |? | 54 | 29. 8 + 3. 28
 (? 8 = 56. 1 | -2. 1 | 2. 1 | |? 9 | 58 | 29. 8 + 3. 28 (? 9 = 59. 3 | -1. 3 | 1. 3 | |
 10 | 61 | 29. 8 + 3. 28 (10 = 62. 6 | -1. 6 | 1. 6 | | | | | | (= | | | | | 32. 6 | | | |
 | | MAD = 3. 26 | The MAD is 3. 26—this is approximately 7% of the average
 number of patients and 10% of the minimum number of patients. We also
 see absolute deviations, for years 5, 6, and 7 in the range 5. 6-7. 3.

The comparison of the MAD with the average and minimum number of patients and the comparatively large deviations during the middle years

indicate that the forecast model is not exceptionally accurate. It is more useful for predicting general trends than the actual number of patients to be seen in a specific year.

Year	Rate	X	Y	X ²	Y ²	XY
1	58.3	36	3,398.9	1,296	2,098.8	211.1
2	61.1	33	3,733.2	1,089	2,016.3	203.7
3	73.0	40	5,387.6	1,600	2,936.0	292.0
4	75.7	41	5,730.5	1,681	3,103.7	311.9
5	81.1	40	6,577.2	1,600	3,244.0	264.4
6	89.0	55	7,921.0	3,025	4,895.0	409.5
7	101.1	60	10,221.2	3,600	6,066.0	606.6
8	94.8	54	8,987.0	2,916	5,119.2	513.7
9	103.3	58	10,670.9	3,364	5,991.4	601.0
10	116.2	61	13,502.4	3,721	7,088.2	701.2
Totals	854.0	478	85,478.0	35,421	47,821.0	4,782.1

months) (Millions) (1,000,000s)

Year (X) (Y) X² Y² XY

1 7 1.5 49 2.25 10.5

2 1.0 4 1.00 2.0 3 6 1.3 36 1.69 7.8

4 4 1.5 16 2.25 6.0 5 14 2.5 196 6.25 35.0

6 15 2.7 225 7.9 40.5 7 16 2.4 256 5.76 38.4

8 12 2.0 144 4.00 24.0 9 14 2.7 196 7.29 37.8

10 20 4.4 400 19.36 88.0 11 15 3.4 225 11.56 51.0

12 7 1.7 49 2.89 11.9

Given: $Y = a + bX$ where: [pic] and $(X = 132, (Y = 27.1, (XY = 352.9, (X^2 = 1796, (Y^2 = 71.59, [pic] = 11, [pic] = 2.26$. Then: [pic] and $Y = 0.511 + 0.159X$ (c)?

Given a tourist population of 10,000,000, the model predicts a ridership of: $Y = 0.511 + 0.159(10) = 2.101$, or 2,101,000 persons. (d)? If there are no tourists at all, the model predicts a ridership of 0.511, or 511,000 persons. One would not place much confidence in this forecast, however, because the number of tourists (zero) is outside the range of data used to develop the

model. (e)? The standard error of the estimate is given by: (f)? The correlation coefficient and the coefficient of determination are given by: [pic]
 4. 42? (a)? This problem gives students a chance to tackle a realistic problem in business, i. e. , not enough data to make a good forecast.

As can be seen in the accompanying figure, the data contains both seasonal and trend factors. [pic] Averaging methods are not appropriate with trend, seasonal, or other patterns in the data. Moving averages smooth out seasonality. Exponential smoothing can forecast January next year, but not farther. Because seasonality is strong, a naive model that students create on their own might be best. (b) One model might be: $F_{t+1} = A_{t-11}$ That is forecast next period = actual one year earlier to account for seasonality. But this ignores the trend. One very good approach would be to calculate the increase from each month last year to each month this year, sum all 12 increases, and divide by 12.

The forecast for next year would equal the value for the same month this year plus the average increase over the 12 months of last year. (c) Using this model, the January forecast for next year becomes: [pic] where 148 = total monthly increases from last year to this year. The forecasts for each of the months of next year then become: | Jan. | 29 | | July. | 56 | | Feb. | 26 | | Aug. | 53 | | Mar. | 32 | | Sep. | 45 | | Apr. | 35 | | Oct. | 35 | | May. | 42 | | Nov. | 38 | | Jun. | 50 | | Dec. | 29 | Both history and forecast for the next year are shown in the accompanying figure: [pic] 4. 3? (a) and (b) See the following table: | | Actual | Smoothed | | Smoothed | | | Week | Value | Value | Forecast | Value | Forecast | | t | A(t) | F_t ((= 0. 2) | Error | F_t ((= 0. 6) | Error | | 1 | 50 | +50. 0 | ? +0. 0 | +50. 0 | ? +0. 0 | | 2 | 35 | +50. 0 | -15. 0 | +50. 0 | -15. 0 | | 3 | 25 |

+47.0 | -22.0 | +41.0 | -16.0 | | 4 | 40 | +42.6 | ? -2.6 | +31.4 | ? +8.6 | | 5 |
 45 | +42.1 | ? -2.9 | +36.6 | ? +8. | | 6 | 35 | +42.7 | ? -7.7 | +41.6 | ? -6.6 | |
 7 | 20 | +41.1 | -21.1 | +37.6 | -17.6 | | 8 | 30 | +36.9 | ? -6.9 | +27.1 | ? +2.
 9 | | 9 | 35 | +35.5 | ? -0.5 | +28.8 | ? +6.2 | | 10 | 20 | +35.4 | -15.4 | +32.5
 | -12.5 | | 11 | 15 | +32.3 | -17.3 | +25.0 | -10.0 | | 12 | 40 | +28.9 | +11.1 |
 +19.0 | +21.0 | | 13 | 55 | +31.1 | +23.9 | +31.6 | +23.4 | | 14 | 35 | +35.9
 | ? 0.9 | +45.6 | -10.6 | | 15 | 25 | +36.7 | -10.7 | +39.3 | -14.3 | | 16 | 55 |
 +33.6 | +21.4 | +30.7 | +24.3 | | 17 | 55 | +37.8 | +17.2 | +45.3 | ? +9.7 | |
 18 | 40 | +41.3 | ? -1.3 | +51.1 | -11.1 | | 19 | 35 | +41.0 | ? -6.0 | +44.4 | ? -
 9.4 | | 20 | 60 | +39.8 | +20.2 | +38.8 | +21.2 | | 21 | 75 | +43.9 | +31.1 |
 +51.5 | +23.5 | | 22 | 50 | +50.1 | ? -0.1 | +65.6 | -15. | | 23 | 40 | +50.1 | -
 10.1 | +56.2 | -16.2 | | 24 | 65 | +48.1 | +16.9 | +46.5 | +18.5 | | 25 | | +51.
 4 | | +57.6 | | | | MAD = 11.8 | MAD = 13.45 | (c)? Students should note
 how stable the smoothed values are for $\alpha = 0.2$. When compared to actual
 week 25 calls of 85, the smoothing constant, $\alpha = 0.6$, appears to do a
 slightly better job. On the basis of the standard error of the estimate and the
 MAD, the 0.2 constant is better. However, other smoothing constants need
 to be examined. | 4.4 | | | | | Week | Actual Value | Smoothed Value |
 Trend Estimate | Forecast | Forecast | | t | At | Ft ($\alpha = 0.3$) | Tt ($\alpha = 0.2$) | FITt
 | Error | | ? 1 | 50.000 | 50.000 | ? 0.000 | 50.000 | ?? 0.000 | | ? 2 | 35.000 |
 50.000 | ? 0.000 | 50.000 | -15.000 | | ? 3 | 25.000 | 45.500 | -0.900 | 44.
 600 | -19.600 | | ? 4 | 40.000 | 38.720 | -2.076 | 36.644 | ?? 3.56 | | ? 5 | 45.
 000 | 37.651 | -1.875 | 35.776 | ?? 9.224 | | ? 6 | 35.000 | 38.543 | -1.321 |
 37.222 | ? -2.222 | | ? 7 | 20.000 | 36.555 | -1.455 | 35.101 | -15.101 | | ? 8 |
 30.000 | 30.571 | -2.361 | 28.210 | ?? 1.790 | | ? 9 | 35.000 | 28.747 | -2.

253 | 26. 494 |?? 8. 506 | | 10 | 20. 000 | 29. 046 | -1. 743 | 27. 03 |? -7. 303 |
 | 11 | 15. 000 | 25. 112 | -2. 181 | 22. 931 |? -7. 931 | | 12 | 40. 000 | 20. 552
 | -2. 657 | 17. 895 |? 22. 105 | | 13 | 55. 000 | 24. 526 | -1. 331 | 23. 196 |? 31.
 804 | | 14 | 35. 000 | 32. 737 |? 0. 578 | 33. 315 |?? 1. 685 | | 15 | 25. 000 |
 33. 820 |? 0. 679 | 34. 499 |? -9. 499 | | 16 | 55. 000 | 31. 649 |? 0. 109 | 31.
 58 |? 23. 242 | | 17 | 55. 000 | 38. 731 |? 1. 503 | 40. 234 |? 14. 766 | | 18 |
 40. 000 | 44. 664 |? 2. 389 | 47. 053 |? -7. 053 | | 19 | 35. 000 | 44. 937 |? 1.
 966 | 46. 903 | -11. 903 | | 20 | 60. 000 | 43. 332 |? 1. 252 | 44. 584 |? 15. 416
 | | 21 | 75. 000 | 49. 209 |? 2. 177 | 51. 386 |? 23. 614 | | 22 | 50. 000 | 58.
 470 |? 3. 94 | 62. 064 | -12. 064 | | 23 | 40. 000 | 58. 445 |? 2. 870 | 61. 315 | -
 21. 315 | | 24 | 65. 000 | 54. 920 |? 1. 591 | 56. 511 |?? 8. 489 | | 25 | | 59.
 058 |? 2. 100 | 61. 158 | | To evaluate the trend adjusted exponential
 smoothing model, actual week 25 calls are compared to the forecasted
 value. The model appears to be producing a forecast approximately mid-
 range between that given by simple exponential smoothing using $\alpha = 0.2$
 and $\alpha = 0.6$.

Trend adjustment does not appear to give any significant improvement. 4.
 45 | Month | At | Ft | | At - Ft | | (At - Ft) | | May | 100 | 100 | 0 | 0 | | June | 80 |
 104 | 24 | -24 | | July | 110 | 99 | 11 | 11 | | August | 115 | 101 | 14 | 14 | |
 September | 105 | 104 | 1 | 1 | | October | 110 | 104 | 6 | 6 | | November | 125
 | 105 | 20 | 20 | December | 120 | 109 | 11 | 11 | | | | Sum: 87 | Sum: 39 | | 4.
 46 (a) | | X | Y | X² | Y² | XY | | |? 421 |? 2. 90 |? 177241 |?? 8. 41 |? 1220. 9 | |
 |? 377 |? 2. 93 |? 142129 |?? 8. 58 |? 1104. 6 | | |? 585 |? 3. 00 |? 342225 |??
 9. 00 |? 1755. 0 | | |? 690 |? 3. 45 |? 476100 |? 11. 90 |? 2380. 5 | | |? 608 |?
 3. 66 |? 369664 |? 13. 40 |? 2225. 3 | | |? 390 |? 2. 88 |? 52100 |?? 8. 29 |?

1123. 2 | | |? 415 |? 2. 15 |? 172225 |?? 4. 62 |?? 892. 3 | | |? 481 |? 2. 53 |?
 231361 |?? 6. 40 |? 1216. 9 | | |? 729 |? 3. 22 |? 531441 |? 10. 37 |? 2347. 4 |
 | |? 501 |? 1. 99 |? 251001 |?? 3. 96 |?? 997. 0 | | |? 613 |? 2. 75 |? 375769 |??
 7. 56 |? 1685. 8 | | |? 709 |? 3. 90 |? 502681 |? 15. 21 |? 2765. 1 | | |? 366 |?
 1. 60 |? 133956 |?? 2. 56 |?? 585. 6 | | | Column | 6885 | | 36. 6 | | | | totals | |
 | | | | January | 400 |— |— | — |— | | February | 380 | 400 |— | 20. 0 |— | |
 March | 410 | 398 |— | 12. 0 |— | | April | 375 | 399. 2 | 396. 67 | 24. 2 | 21.
 67 | | May | 405 | 396. 8 | 388. 33 | 8. 22 | 16. 67 | | | | MAD = | | 16. 11 | | |
 19. 17 | | (d) Note that Amit has more forecast observations, while Barbara's
 moving average does not start until month 4. Also note that the MAD for
 Amit is an average of 4 numbers, while Barbara's is only 2. Amit's MAD for
 exponential smoothing (16. 1) is lower than that of Barbara's moving
 average (19. 17). So his forecast seems to be better. 4. 48? (a) | Quarter |
 Contracts X | Sales Y | X2 | Y2 | XY | | 1 |? 153 |? 8 |? 23, 409 |? 64 |? 1, 224 |
 | 2 |? 172 | 10 |? 29, 584 | 100 |? 1, 720 | | 3 |? 197 | 15 |? 38, 809 | 225 |? 2,
 955 | | 4 |? 178 |? 9 |? 31, 684 |? 81 |? 1, 602 | | 5 |? 185 | 12 |? 34, 225 | 144
 |? 2, 220 | | 6 |? 199 | 13 |? 39, 601 | 169 |? 2, 587 | | 7 |? 205 | 12 |? 42, 025
 | 144 |? , 460 | | 8 |? 226 | 16 |? 51, 076 | 256 |? 3, 616 | | Totals | | 1, 515 | | |
 95 | $b = (18384 - 8 (189.375 (11.875)) / (290,413 - 8 (189.375 (189.375)))$
 $= 0.1121$ $a = 11.875 - 0.1121 (189.375 = -9.3495$ Sales (y) = -9.349 +
 0.1121 (Contracts) (b) [pic] 4. 49? (a) | Method (Exponential Smoothing | | |
 | 0. 6 = (| | | | Year | Deposits (Y) | Forecast | | Error | | Error2 | | 1 |? 0. 25 | 0.
 25 | 0. 00 |? 0. 00 | | 2 |? . 24 | 0. 25 | 0. 01 |? 0. 0001 | | 3 |? 0. 24 | 0. 244 |
 0. 004 |? 0. 0000 | | 4 |? 0. 26 | 0. 241 | 0. 018 |? 0. 0003 | | 5 |? 0. 25 | 0. 252
 | 0. 002 |? 0. 00 | | 6 |? 0. 30 | 0. 251 | 0. 048 |? 0. 0023 | | 7 |? 0. 31 | 0. 280 |

0.029 | ? 0.0008 | | 8 | ? 0.32 | 0.298 | 0.021 | ? 0.0004 | | 9 | ? 0.24 | 0.311
 | 0.071 | ? 0.0051 | | 10 | ? 0.26 | 0.68 | 0.008 | ? 0.0000 | | 11 | ? 0.25 | 0.
 263 | 0.013 | ? 0.0002 | | 12 | ? 0.33 | 0.255 | 0.074 | ? 0.0055 | | 13 | ? 0.50
 | 0.300 | 0.199 | ? 0.0399 | | 14 | ? 0.95 | 0.420 | 0.529 | ? 0.2808 | | 15 | ?
 1.70 | 0.738 | 0.961 | ? 0.925 | | 16 | ? 2.30 | 1.315 | 0.984 | ? 0.9698 | |
 17 | ? 2.80 | 1.906 | 0.893 | ? 0.7990 | | 18 | ? 2.80 | 2.442 | 0.357 | ? 0.278
 | | 19 | ? 2.70 | 2.656 | 0.043 | ? 0.0018 | | 20 | ? 3.90 | 2.682 | 1.217 | ? 1.
 4816 | | 21 | ? 4.90 | 3.413 | 1.486 | ? 2.2108 | | 22 | ? 5.30 | 4.305 | 0.994
 | ? 0.9895 | | 23 | ? 6.20 | 4.90 | 1.297 | ? 1.6845 | | 24 | ? 4.10 | 5.680 | 1.
 580 | ? 2.499 | | 25 | ? 4.50 | 4.732 | 0.232 | ? 0.0540 | | 26 | ? 6.10 | 4.592 |
 1.507 | ? 2.2712 | | 27 | ? 7.0 | 5.497 | 2.202 | ? 4.8524 | | 28 | 10.10 | 6.
 818 | 3.281 | 10.7658 | | 29 | 15.20 | 8.787 | 6.412 | 41.1195 |
 (Continued) 4.49? (a)? (Continued) | Method (Exponential Smoothing | | |
 0.6 = (| | | | Year | Deposits (Y) | Forecast | Error | Error2 | | 30 | ? 18.10 |
 12.6350 | ?? 5.46498 | 29.8660 | | 31 | ? 24.10 | 15.9140 | 8.19 | 67.01 | |
 32 | ? 25.0 | 20.8256 | 4.774 | 22.7949 | | 33 | ? 30.30 | 23.69 | ?? 6.60976
 | 43.69 | | 34 | ? 36.00 | 27.6561 | ?? 8.34390 | 69.62 | | 35 | ? 31.10 | 32.
 6624 | ?? 1.56244 | ???? 2.44121 | | 36 | ? 31.70 | 31.72 | ??? 0.024975 | ???
 0.000624 | | 37 | ? 38.50 | 31.71 | 6.79 | ? 46.1042 | | 38 | ? 47.90 | 35.784
 | 12.116 | 146.798 | | 39 | ? 49.10 | 43.0536 | 6.046 | 36.56 | | 40 | ? 55.80
 | 46.814 | ?? 9.11856 | ?? 83.1481 | | 41 | ? 70.10 | 52.1526 | 17.9474 |
 322.11 | | 42 | ? 70.90 | 62.9210 | ?? 7.97897 | 63.66 | | 43 | ? 79.10 | 67.
 7084 | 11.3916 | 129.768 | | 44 | ? 94.00 | 74.5434 | 19.4566 | 378.561 | |
 TOTALS | | 787.30 | | | 150.3 | | | 1,513.22 | | AVERAGE | ??? 17.8932 | | ??
 3.416 | ?? 34.39 | | | | (MAD) | (MSE) | | Next period forecast = 86.2173 |

Standard error = 6.07519 Method (Linear Regression (Trend Analysis)												
Year	Period (X)	Deposits (Y)	Forecast	Error2	? 1	? 1	0.25	-17.330	309.061	? 2	? 2	
								0.24	-15.692	253.823	? 3	? 3
								0.24	-14.054	204.31	? 4	? 4
								0.26	-12.415	160.662	? 5	? 5
								0.25	-10.777	121.594	? 6	? 6
								0.30	-9.1387	89.0883	? 7	? 7
								0.31	-7.50	61.0019	? 8	? 8
								0.32	-5.8621	38.2181	? 9	? 9
								0.24	-4.2238	19.9254	10	10
								0.26	-2.5855	8.09681	11	11
								0.25	-0.947	1.43328	12	12
								0.33	0.691098	0.130392	13	13
								0.50	2.329	3.34667	14	14
								0.95	3.96769	9.10642	15	15
								1.70	5.60598	15.2567	16	16
								2.30	7.24427	24.4458	17	17
								2.0	8.88257	36.9976	18	18
								2.80	10.52	59.6117	19	19
								2.70	12.1592	89.4756	20	20
								3.90	13.7974	97.9594	21	21
								4.90	15.4357	111.0	22	22
								5.30	17.0740	138.628	23	23
								6.20	18.7123	156.558	24	24
								4.10	20.35	264.083	25	25
								4.50	21.99	305.62	26	26
								6.10	23.6272	307.203	27	27
								7.70	25.2655	308.547	28	28
								10.10	26.9038	282.367	29	29
								15.20	28.5421	178.011	30	30
								18.10	30.18	145.936	31	31
								31.8187	59.58	31.24.10	32	32
								25.60	33.46	61.73	33	33
								35.0953	22.9945	30.30	34	34
								36.0	36.7336	0.5381	35	35
								31.70	40.01	69.0585	36	36
								31.70	38.3718	52.8798	37	37
								41.6484	9.91266	38.50	38	38
								47.90	43.2867	21.2823	39	39
								49.10	44.9250	17.43	40	40
								55.80	46.5633	85.3163	41	41
								70.10	48.2016	479.54	42	42
								70.90	49.84	443.28	43	43
								79.10	51.4782	762.964	44	44
								94.00	53.1165	1,671.46	TOTALS	990.00
								787.30				

| 7, 559.95 | | | AVERAGE | 22.50 | 17.893 | | 171.817 | | | | |(MSE) | |
Method (Least squares–Simple Regression on GSP | | | a | b | | | | -17.636 |
13.936 | | | | Coefficients: | GSP | Deposits | | | | Year |(X) |(Y) | Forecast ||
Error| | Error2 | |? 1 | 0.40 |? 0.25 | -12.198 |? 12.4482 |? 154.957 | |? 2 | 0.
40 |? 0.24 | -12.198 |? 12.4382 |? 154.71 | |? 3 | 0.50 |? 0.24 | -10.839 |?
11.0788 |? 122.740 | |? 4 | 0.70 |? 0.26 | -8.12 |?? 8.38 |?? 70.226 | |? 5 |
0.90 |? 0.25 | -5.4014 |?? 5.65137 |?? 31.94 | |? 6 | 1.00 |? 0.30 | -4.0420
|?? 4.342 |?? 18.8530 | |? 7 | 1.40 |? 0.31 |? 1.39545 |?? 1.08545 |??? 1.
17820 | |? 8 | 1.70 |? 0.32 |? 5.47354 |?? 5.5354 |?? 26.56 | |? 9 | 1.30 |?
0.24 |? 0.036086 |?? 0.203914 |??? 0.041581 | | 10 | 1.20 |? 0.26 | -1.
3233 |?? 1.58328 |??? 2.50676 | | 11 | 1.10 |? 0.25 | -2.6826 |?? 2.93264
|??? 8.60038 | | 12 | 0.90 |? 0.33 | -5.4014 |?? 5.73137 |?? 32.8486 | | 13 |
1.20 |? 0.50 | -1.3233 |?? 1.82328 |??? 3.32434 | | 14 | 1.20 |? 0.95 | -1.
3233 |?? 2.27328 |??? 5.16779 | | 15 | 1.20 |? 1.70 | -1.3233 |?? 3.02328
|??? 9.14020 | | 16 | 1.60 |? 2.30 |? 4.11418 |?? 1.81418 |??? 3.9124 | | 17
| 1.50 |? 2.80 |? 2.75481 |?? 0.045186 |??? 0.002042 | | 18 | 1.60 |? 2.80
|? 4.11418 |?? 1.31418 |??? 1.727 | | 19 | 1.70 |? 2.70 |? 5.47354 |?? 2.
77354 |??? 7.69253 | | 20 | 1.90 |? 3.90 |? 8.19227 |?? 4.29227 |?? 18.
4236 | | 21 | 1.90 |? 4.90 |? 8.19227 |?? 3.29227 |?? 10.8390 | | 22 | 2.30
|? 5.30 | 13.6297 |?? 8.32972 |?? 69.3843 | | 23 | 2.50 |? 6.20 | 16.3484
|? 10.1484 |? 102.991 | | 24 | 2.80 |? 4.10 | 20.4265 |? 16.3265 |? 266.56
| | 25 | 2.90 |? 4.50 | 21.79 |? 17.29 |? 298.80 | | 26 | 3.40 |? 6.10 | 28.
5827 |? 22.4827 |? 505.473 | | 27 | 3.80 |? 7.70 | 34.02 |? 26.32 |? 692.
752 | | 28 | 4.10 | 10.10 | 38.0983 |? 27.9983 |? 783.90 | | 29 | 4.00 | 15.
20 | 36.74 |? 21.54 |? 463.924 | | 30 | 4.00 | 18.10 | 36.74 |? 18.64 |?

347. 41 | | 31 | 3. 90 | 24. 10 | 35. 3795 | ? 11. 2795 | ? 127. 228 | | 32 | 3. 80 |
 25. 60 | 34. 02 | ?? 8. 42018 | ?? 70. 8994 | | 33 | 3. 0 | 30. 30 | 34. 02 | ?? 3.
 72018 | ?? 13. 8397 | | 34 | 3. 70 | 36. 00 | 32. 66 | ?? 3. 33918 | ?? 11. 15 | |
 35 | 4. 10 | 31. 10 | 38. 0983 | ?? 6. 99827 | ?? 48. 9757 | | 36 | 4. 10 | 31. 70 |
 38. 0983 | ?? 6. 39827 | ? 40. 9378 | | 37 | 4. 00 | 38. 50 | 36. 74 | ?? 1. 76 | ???
 3. 10146 | | 38 | 4. 50 | 47. 90 | 43. 5357 | ?? 4. 36428 | ?? 19. 05 | | 39 | 4. 60
 | 49. 10 | 44. 8951 | ?? 4. 20491 | ?? 17. 6813 | | 40 | 4. 50 | 55. 80 | 43. 5357
 | ? 12. 2643 | ? 150. 412 | | 41 | 4. 60 | 70. 10 | 44. 951 | ? 25. 20 | ? 635. 288 | |
 42 | 4. 60 | 70. 90 | 44. 8951 | ? 26. 00 | ? 676. 256 | | 43 | 4. 70 | 79. 10 | 46.
 2544 | ? 32. 8456 | 1, 078. 83 | | 44 | 5. 00 | 94. 00 | 50. 3325 | ? 43. 6675 | 1,
 906. 85 | | TOTALS | | | 451. 223 | 9, 016. 45 | | AVERAGE | | | ? 10. 2551 | ?
 204. 92 | | | | ? (MAD) | ? (MSE) | Given that one wishes to develop a five-
 year forecast, trend analysis is the appropriate choice. Measures of error and
 goodness-of-fit are really irrelevant.

Exponential smoothing provides a forecast only of deposits for the next year—and thus does not address the five-year forecast problem. In order to use the regression model based upon GSP, one must first develop a model to forecast GSP, and then use the forecast of GSP in the model to forecast deposits. This requires the development of two models—one of which (the model for GSP) must be based solely on time as the independent variable (time is the only other variable we are given). (b)? One could make a case for exclusion of the older data. Were we to exclude data from roughly the first 25 years, the forecasts for the later year