## Composition and inverse

Science, Mathematics



Composition and Inverse College Composition and Inverse We define the

following functions:

f(x) = 2x + 5 g(x) = x2 - 3 h(x) = (7-x)/3

Compute (f - h)(4).

To evaluate (f - h)(4), the function (f - h)(x) may be found first by subtracting the function h(x) from the function f(x). So,

$$f(x) - h(x) = 2x + 5 - \dots (f(x) - h(x)) =$$

Then upon substitution of 4 into ' x', (f - h) (4) = 12

Evaluate the following two compositions:

A: (fog)(x) would pertain to a composition where the function g(x) is composed within the function f(x) such that g(x) serves as an expression that replaces ' x' in f(x) as follows

---- () (x) = 2 () + 5 =  $2x^2 - 6 + 5$ 

so the expression  $x^2 - 3$  takes the place of ' x' in 2x + 5, then applying

distributive property and combining like terms, that reduces to

B: (hog)(x) would pertain to a composition where the function g(x) is

composed within the function h(x), and in a similar function (as in part A),

g(x) serves as an expression that replaces ' x' herein -

---- () (x) = =

so the expression  $x^2 - 3$  takes the place of ' x' in (7 - x)/3, then distributing the negative sign into the quantity to remove the parentheses and combining like terms, that simplifies to –

---- < () (x) =

Graph the g(x) function and transform it so that the graph is moved 6 units to the right and 7 units down.

On transforming g(x) so that the graph shitfs 6 units to the right and 7 units down, the new function would g(x) = -3 - 7 or -10 whose graph looks –

2. Find the inverse functions:

C: (x) --- @ from y = 2x + 5, variables may be switched so that x = 2y + 5, then isolating the 'y', 5 must be subtracted (both sides) to have x - 5 = 2y, whereupon division by 2,

---- (x) =

D: (x) ---  $\bigcirc$  from y = (7 - x)/3, switching of variables yields 3x = 7 - y, then adding 'y' on both sides of the equation and subtracting '3x' to get 'y' by itself on one side,