

Time value of money essay

[Finance](#)



**ASSIGN
BUSTER**

1. In two to three paragraphs, explain why the concept of present value is so important for corporate finance and is often the very first topic taught in any finance class. Answer: Concept of present value basically means that the money received today is worth more than the same sum received in the future i. e. Money has a time value therefore money that is to be received in the future needs to be discounted at the present value using the appropriate discount or interest rate.

This is an important concept in finance. If a capital investment is to be justified, it needs to earn at least a minimum amount of profit, so the return compensates the investor for both the amount invested and also the length of time before the profits are made. Another reason why the future income needs to be discounted at the present value is the impact of inflation.

In most recent years prices have been seen rising as a result of inflation. Therefore funds received today will buy more than the same amount a year later, as prices will have risen in the meantime. The funds are subject to a loss of purchasing power over time. 2. Calculation of Future

Value: Formula for the calculation of Future Value is: $FV = PV \times (1 + i)^t$

t Where FV is the future value after t periods PV is the present or initial value.

i is the rate of interest per period. t is the time in years Using this formula in

the question: a) \$500 if invested for five years at a 5% interest rate $FV =$

$PV \times (1 + i)^t$ $FV = 500 \times (1 + 0.05)^5$ $FV = 500 \times 1.276$ $FV = \$638$ b)

\$700 if invested for three years at a 2% interest rate $FV = PV \times (1 + i)^t$ $FV =$

$700 \times (1 + 0.02)^3$ $FV = 700 \times 1.061$ $FV = \$742.7$ c) \$1200 if invested

for seven years at an 11% interest rate $FV = PV \times (1 + i)^t$ $FV = 1200 \times (1 + 0.11)^7$ $FV = 1200 \times 2.$

076 $FV = \$ 2491.2$ d) \$400 if invested for ten years with a 0% interest rate Since the rate of Interest is 0%, the future value will be equal to the present value i. e. \$ 400 3. Calculation of Present Value: Formula for

the calculation of Present Value is: $PV = FV \div (1 + i)^t$ Where PV is the present or initial value FV is the future value after t periods i is the rate of interest per period. t is the time in years Using this formula in the

question: a) \$2400 to be received three years from now with a 4% discount rate $PV = FV \div (1 + i)^t$ $PV = 2,400 \div (1 + 0.04)^3$ $PV = 2,400 \div 1.125$ $PV = \$ 2,133.$

33 b) \$900 to be received five years from now with a 10% interest rate $PV = FV \div (1 + i)^t$ $PV = 900 \div (1 + 0.1)^5$ $PV = 900 \div 1.610$ $PV = \$ 559$ c)

\$1150 to be received two years from now with a 24% interest rate $PV = FV \div (1 + i)^t$ $PV = 1,150 \div (1 + 0.24)^2$ $PV = 1,150 \div 1.538$ $PV = \$ 747.72$ d)

\$45,000 to be received eight years from now with a 7% interest rate $PV = FV \div (1 + i)^t$ $PV = \$ 45,000 \div (1 + 0.07)^8$ $PV = \$ 45,000 \div 1.$

718 $PV = \$ 26,193$ 4. Suppose you are to receive a stream of annual payments (also called an `annuity`) of \$7000 every year for three years starting this year. The discount rate is 6%. What is the present value of these three payments? Answer: The formula for Present Value of Annuity is: $PV = \text{Payment per Period} \times (1 - (1 + i)^{-t})/i$ Where PV is the present of the annuity i is the rate of interest per period. t is the time in years This formula changes if the first payment is to be received immediately. The new formula

would be: $PV = \text{Payment per Period} \times (1 + (1 - (1 + i)^{-(t - 1)}))i$ Using this formula in the question: $PV = \text{Payment per Period} \times (1 + (1 - (1 + i)^{-(t - 1)}))i$ $PV = 7,000 \times (1 + (1 - (1 + 0.06)^{-(3-1)})0.06$

$0.06 PV = 7,000 \times (1 + (1 - (1.06)^{-2})0.06$ $PV = 7,000 \times (1 + (1 - (1.06)^{-2})0.06$ $PV = 7,000 \times (1 + 1.$

833) $PV = 7,000 \times 2.833$ $PV = \$19,831.5$ Suppose you are to receive a payment of \$4000 every year for three years. You are depositing these payments in a bank account that pays 3% interest. Given these three payments and this interest rate, how much will be in your bank account in three years? Answer: Year 1 Payment

Received	4,000	Interest Earned at
3%	120	Total after 1
Year	4,120	Year 2 Payment
Received	4,000	Total at the start of
Year 2	8,120	Interest Earned at
3%	243.6	Total after 2
Years	8363.6	Year 3 Payment
Received	4,000	Total at the start of
Year 3	12,363.	

6 Interest Earned at 3% 370.9 Total after 3 Years 12,734.5 12,734.5 will be the

total amount in the bank account after 3 years. References Shauna Carther. (2008) Understanding The Time Value Of Money.

Retrieved Nov 1, 2008, from Investopedia Website: <http://www.investopedia.com/articles/03/082703.asp>? Page= 1