

D2 measurong young's modulus of copper essay sample



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In this experiment, The Young's modulus of copper will be measured .

Apparatus

- copper wire 4m
- G-clamp
- pulley on clamp
- 2*Wooden block
- 2*rule (half meter and meter rule)
- slotted mass with hanger 15 * 0.1 kg
- adhesive label
- micrometer screw gauge
- safety goggles
- polystyrene board

(Warning : Wear safety goggles when doing this experiment)

Theory

When a spring is stretched or compressed by a force. The extension is directly proportional to the applied force. This relationship known as Hooke's law.

Force = ke . However, the law is used when the proportional limit is not exceeded. To further investigate how the material behaves when it is stressed, we define:

The stress applied to the wire is defined as the force applied per unit cross-sectional area.

$$\text{Stress} = \text{force per unit area} = F/A$$

(where F is the force or tension in the wire, A is the cross-sectional area)

When the wire being stretched, it is under strain. The strain is defined as the extension per unit length.

$$\text{Strain} = \text{extension per unit length} = e/l$$

(where e is the extension and l is the unstretched length of the wire)

Within the proportional limit, the ratio stress/strain is a constant whose value depends on the material of the wire.

It is known as the Young modulus of the material

$$E = \text{stress/strain} = (F/A)/(e/l) = Fl/Ae$$

From this law, a material with larger Young's modulus means a greater stress is required to produce the same strain than another material with smaller Young's modulus gives how stiff a material is.

In this experiment, we will hang different loads (m) to one end of a copper wire of length l and diameter d . The extension (e) for each load is measured.

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From the slope of the straight part of the m-e graph, Young's modulus of copper can be found.

Since $F = mg$ and $A = \text{cross-sectional area of the wire} = \pi(d/2)^2 = \pi d^2/4$,
Young's modulus of the copper wire is given by

$$E = F/Ae = mgl/(\pi d^2/4)e = m/e \times 4gl/\pi d^2 = \text{slope of graph} \times 4gl/\pi d^2$$

Procedure

1. To measure the diameter of the wire at two end and the center of the wire by using a micrometer screw gauge to take the mean value of the diameter.
2. The apparatus is seted on the bench as shown in Fig. D2. 1.
3. Fix an adhesive label on the copper wire as a marker
4. Measure the unstretched original length of the wire before addong slotted mass to the wire (from the wooden blocks to the slotted mass)
5. The copper was loaded in steps and the extension produced was recorded. Steps were continued until the wire broke

Results

1st measurement

2nd measurement

3rd measurement

Diameter d/m

0.00028

0.00028

0.000275

Mean diameter of wire $d = 0.000278 \text{ m}$

Original length of wire $l = 3.95 \text{ m}$

Load m/kg

0

0.1

0.2

0.3

0.4

0.5

0.6

Extension e/m

0

0.001

0.002

0.0025

0.0028

0.003

0.0038

0.7

0.8

0.9

1.0

1.1

1.2

1.3

1.4

0.0042

0.005

0.007

0.009

0.015

0.036

0.087

0.155

Before the load increase to 0.7 kg. The extension is nearly proportional to the force. Also stress is nearly proportional to strain. After the load is beyond 0.7 kg, extension is not proportional to force and stress is not proportional to strain. The plastic deformation occurs. The wire does not return completely to its original length. The wire broke when the load is increased to 1.4 kg.

This part of the graph obeys Hooke's law.

Fig. 4

% strain = extension / original length × 100%

= 0.0042 / 3.95 × 100%

= 0.106%

Fig. 4 shows the best straight line through the points of the straight part of the graph.

Slope of load-extension graph = 189.72 kgm⁻¹

Young's modulus of copper

$E = \text{slope of graph} \times \frac{4gl}{\pi d^2}$

= 189.72 × 4(10)(3.95) / (0.000278)²

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$$= 123.46 \times 10^9 \text{ Pa}$$

Error estimation

Draw lines of maximum and minimum slope through the points of the graph.

Find the slope and take the large deviation from the slope of the fitted graph as the error

$$\text{Maximum slope} = 208.77$$

$$\text{Minimum slope} = 163.15$$

$$\text{Error in slope} = \frac{1}{2} \times 26.57$$

$$\rightarrow \% \text{ error in slope} = 14.00 \%$$

Estimate the possible errors in l and d and express them as percentages

$$\text{Error in } l = \frac{0.1 \text{ cm}}{2} = \frac{1}{2} \times 0.05 \text{ cm}$$

$$\% \text{ error in } l = 0.0127\%$$

$$\text{Error in } d = \frac{1}{2} \times 0.005 \text{ mm}$$

$$\% \text{ error in } d = 0.0180\%$$

Hence, estimate the % error in E .

$$\% \text{ error in } E = \% \text{ error in slope} + \% \text{ error in } l + 2 \times \% \text{ error in } d$$

$$= 14.00\% + 0.0127\% + 2 \times 0.0180\%$$

= 14.049%

-> Error in E = $\pm 1.7345 \pm 1012$

Discussion

From the graph of Fig. 4. The wire undergoes a proportional limit before the load increases to 0.7 kg. It obeys Hooke's law. When the load is not reached to a yield point, the wire can return to its original length when the load is removed. In this graph, the slope of the graph of load against extension determines the Young's modulus.

When the load is beyond the yield point, plastic deformation will occur. The wire does not return completely to its original length. It will contain a permanent extension. Then the load is added to the wire continuously. The extension of the wire is more significant. The wire narrows uniformly.

In our experiment, the maximum stress at the breaking point. Break is due to the wire narrowing unevenly to form necks.

There are some precautions for this experiment. When we read the value of the length of the wire, it is more accurate as we observe the value vertically. Moreover, when the load is added on the wire, it is more suitable to add slowly. This can avoid the force added by our hand. Besides, students should wear safety goggles when doing this experiment. It can protect our eyes from being hit by the wire.

Young's modulus is more useful than force constant because the Young's modulus depends on the force per unit cross-sectional area. Also, the

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extension is per unit length. It is more accuracy than the force constant which is only depend on the relationship between the force and extension.

From the book called NEW WAY PHYSICS. the young's modulus of the copper is 124×10^9 Pa.

Also from [http://www. answers. com/topic/young-s-modulus](http://www.answers.com/topic/young-s-modulus).

the Young's modulus is between 110 to 130×10^9 Pa.

Compare with our result. It is 124×10^9 Pa. The answer is very close to the reference answer. It is because we take all of the value very carefully and seriously for decrease the error.